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1856

The Book of Common Prayer...

AND

ADMINISTRATION OF THE SACRAMENTS, AND OTHER
RITES AND CEREMONIES OF THE CHURCH,

ACCORDING TO THE USE OF

THE CHURCH OF ENGLAND.

TRANSLATED INTO THE LANGUAGE OF

THE OJIBBEWAY INDIANS

IN THE DIOCESE OF MOOSONEE,

BY
John Horden
THE RIGHT REV. THE BISHOP OF MOOSONEE
AND THE
John
REV. J. SANDERS, OF MATAWAKUMMA.

[Some of the Occasional Offices are omitted.]

SOCIETY FOR PROMOTING CHRISTIAN KNOWLEDGE,
NORTHUMBERLAND AVENUE, CHARING CROSS, LONDON.

—
1880.

PM 854

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1880

LONDON :

GILBERT AND RIVINGTON,

ST. JOHN'S SQUARE, CLERKENWELL.

TO THE

LIBRARY OF THE

UNIVERSITY OF

$$9 \Delta S \text{ ppz} \leftarrow \triangleleft \Gamma \triangleleft_{a,b} \nabla_{a,c} \text{ pSb}^b_x$$
[illegible]

𐤀𐤋 𐤁𐤏 𐤒𐤓𐤕𐤔.𐤕𐤋𐤓𐤚. 𐤁𐤏𐤋𐤀𐤕𐤕𐤕 𐤓 𐤋𐤓𐤕𐤔.𐤕-
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 .𐤕𐤕𐤕𐤕𐤕𐤕, 𐤓 𐤁𐤕 𐤋𐤓𐤕𐤕 𐤕𐤕 𐤁𐤏.𐤕𐤕𐤕 Ezek. xvii. 27.

$\sigma \cdot \dot{\Delta} \cdot \Delta e \quad \sigma \text{ Lr } \Delta f \cdot \nabla \wedge r \cdot \Delta q e, \quad b \leq \sigma < i' \cdot \Delta e$
 $\psi^b \circ^e \triangleright e f^b \cdot \Delta(i) d_x \quad \text{Psalm li. 3.}$

$\dot{b}r\dot{c}^a \sigma \sim Lr\Delta\dot{f}\cdot\nabla\wedge r\cdot\Delta a^a, \dot{b}r\wedge\dot{d}l\cdot\Delta\dot{f}^a \dot{b} \leftarrow$
 $b\rho_a \sigma \dot{c} \dot{c}r\cdot\Delta^a_x \quad \text{Psalm li. 9.}$

[illegible]

$\wedge d \wedge \wedge^b$ $P U \Delta \cdot \dot{\Delta}$, $\dot{b}$ $(\varsigma \cdot \Delta^a$ P^c $\Delta \cdot p \cdot \Delta \sigma \cdot \Delta$,
 $\cdot q \cdot \Delta \dot{\varsigma} \cdot \Delta^b$ $(\varsigma$ $U V^a$ $r q^b$ p $P \mathcal{L} \sigma) \Gamma \cdot \dot{\Delta}$: $\cdot \Delta^a$ $\dot{\iota}$ $\sigma \dot{\varsigma}$
 $\varsigma \cdot \nabla^a$ $r q$, $r \wedge \varsigma \dot{b}$ $r p \dot{\varsigma} r$ $\dot{b} \leftarrow \dot{\Delta} \wedge r$ $p \mathcal{N} \dot{\mathcal{L}}$ q^a $r q$, $\triangleright > \varpi^a \dot{\varsigma}^a$
 $\Delta \Delta^o$ $\mathcal{L} r \Delta \mathcal{J} \cdot \nabla \wedge r' \cdot \nabla \sigma \sigma_x$ Joel ii. 13.

$\triangleleft \nabla$ UV_af q_b p PSL(σ)Γ_Δ^a ▷ NV_a(c ζ ∇_af-
q·Δ_Q^a b₄ Δ₁V₄σ^aq·Δ_Q^a, Δ_Q·Δ₁^a ρ_Q·Δ_Q^c p

ḑḑḑḑḑ.ΔPḑ_x —▷ PPLσ), .ḑ.Δ< ḑḑḑḑḑḑḑ_x
 ḑḑḑḑḑ.ḑḑ_x —▷ UVḑḑḑḑḑ, .ḑ.Δ< ḑ.Δ)ḑ.ΔSḑḑ_x

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ḑ PPL ḑḑḑḑḑḑḑ .ḑḑḑḑḑḑḑ, ḑḑ .ḑ.ḑḑḑḑḑḑ, ḑḑ
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ḑḑḑ.Δḑ xcv.

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$$\dot{b} \leq \dot{\sigma} r^b \triangleq \dot{b}: \dot{b} \Gamma_{\sigma} U \nabla \Delta \cdot \nabla^b_x$$
$$\dot{p}_a \cdot \nabla p \dot{L}_a C L_a \wedge \mathcal{S} q_a \dot{c} d r \cdot \Delta_a : \triangleright \mathbf{X}_x$$
$$\dot{\rho}_a \dot{\sim} \dot{\rho}_{\sigma^b} \rho^c \triangleright \cdot \rho^j \Gamma^b : \cdot \nabla \triangleleft^j \Gamma^{a b}_x$$

$\Delta \wedge \dot{b} \wedge \wedge \dot{L} \dot{P} \dot{\Delta} \cdot C \vee \dot{L} \dot{N} \dot{P} \cdot \dot{\Delta} \dot{b} : \dot{b} \cdot \Delta^a \rho \rho \dot{\Delta}^a -$
 $\cdot \nabla^a C \dot{P}^a \Delta^a \rho \sigma \rho \cdot q^a b \text{ r } \Delta^a \text{ r } \dot{L}^a x$

[illegible]
$$p_{\alpha L}(\langle \Delta \Delta_L \rangle \triangleright p_{\sigma} p_{\dot{b}^{ab}} p_{2L\sigma}): \triangleright \wedge \mathfrak{S}^9_{e-}$$

$$(\mathrm{d}r \cdot \Delta \sigma^{ab} \cdot \nabla \leq^i r \Gamma^{ab}_x$$
$$\sigma_a \cup v_{\alpha} \cap \Gamma_a \cap \Delta \cap \sigma_a : \Gamma \cap \sigma_a \cap \Delta$$
[illegible]
$$\Delta\sigma\sigma\Gamma^b \hookrightarrow \Gamma(\mathbb{C}b\Gamma^a, \mathbb{C}) \Delta\Delta L \rho \wedge \sigma \Delta\sigma\sigma\Gamma^{ab}:$$

$$\dot{b}\rho\sigma^b \wedge \mathcal{S}q\dot{c}d\gamma \cdot \Delta\sigma^a b_x$$

▷ UV_αβγδ_ε, Λ_ΓΔ^δ ρ^ε Δσσ_Λ^δ: δ_ε ζ_γ ∇σΓ^δ
UV_σΛ^δ·ζ_δ

$$\cap V_{\sigma} \Gamma d^b : \dot{b} \leq \triangleright L \wedge \sigma d^b \dot{b} \rho_{\sigma^b x}$$
$$\nabla_a(\rho \, \mathcal{J}^b : \rho \cdot \dot{\Delta} \cdot \Delta \mathcal{U} \sigma \Gamma \sigma \dot{\Delta}^a ;$$
$$\dot{b} \leq \sigma \cdot \Delta p(\Gamma_a) \rho^c \Delta \mathcal{S} \sigma \dot{b} \cdot \Delta^a : \dot{b} \rho q b \Gamma^b_x$$
$$\langle P U^a(L \cdot \Delta S \dot{z}^a, \triangleright UV^a r q \triangleright^a : \text{ } \cap b_a \cdot \nabla \sigma \Gamma_{\rightarrow ab}$$

$$m^a dL p f b^b \text{ } \cap L r \Delta s r q r' \cdot \dot{\Delta}_{ab_x}$$

▷ UV^af^qg^a, $\zeta \cdot \nabla \sigma \Gamma \dot{\zeta}^a$: $\zeta \cdot \nabla \sigma \Gamma \dot{\zeta}^a_x$

▷ UV^a f q^b $\vdash$ L^c $\wedge$ σ f a L^c $\cdot$ Δ σ $\dot{a}$ ρ ζ $\cdot$ ∇ a f q^b $\cdot$ Δ a $:$
 ρ^c $\triangleleft$ V σ $\perp$ $\dot{c}$ $\cdot$ Δ σ $\dot{a}$ ρ ζ

¶ Γ (° DD Δ<ΓΔΔ^a bPa .ΔΔP^a.baΛ.Δ^b Δ<Γ∇ΔP^L σC (ΛP) P P S .∇^c,

▷ V C (° UV^a P q^c .ΔP .Δσ^b_x

∇<ΓΔ^b Δ^b_x — b< ▷ b .ΔP .Δ^a P^c Δ^b .ba_x

Δ<Γ∇ .ΔP^L_x — ΔLV Δ<ΓΔ^c_x

UV^a P q^b, Δ^c .∇σΓS^a_x

X, Δ^c .∇σΓS^a_x

· UV^a P q^b, Δ^c .∇σΓS^a_x

¶ Γ (° Δ<Γ∇ΔP^L b< ∇ΔΓΔ^b q ΔP) .Δ^b UV^a P q^b Δ^c Δ<ΓΔ^a P P S .∇ .Δ^b_x

· ∇ΔΓΓΔ^b P S Δ^{ab} ∇Δ^c_x, C P P ΔΛU^a Δ^c .b^c P^c ΔSσ^b Δ^a_x P^c ΔP^L .Δ .Δ^a C C P S Δ^L b^c_x ∇SΔ^a .C ∇ΔC L^a C ΔP^b U ΔΔL ΔP^{ab} Δ^b_x P P P S Δ^{ab}_x ΓS S^a Δ^a Δ^a ΔL P S b^b q Δ^a P ΛΔN P^b Δ^{ab}_x Δ^b .V< .σΓS^a C σ L P ΔS P q .Δσ^a Δ^a, ∇S Δ^b .V< σL^a P^c ΔP^o b L P) Δ^b Δ<ΓΔ^a P^c_x qd ΔS .ΔS S^b Δ^a q Δ^a .b .q N .Vσ^a N .Δσ^{ab}; Γ^c .q ΔL .ΔS^a C b Δ^a C Δ^a_x ∇Γ^a_x

¶ Γ (° Δ<Γ∇ΔP^L DD C ΔP) P σ<Δ^b_x

▷ UV^a P q^b, Δ<Δ^a ΔS^a P Δ^c .∇Δ^a P q .Δ^a:

∇ΔΓΔ^b Δ^b_x — b< ΓS S^a P ΛΔP Δ .∇ .Δ^a_x

Δ<Γ∇ .ΔP^L_x — ▷ UV^a P q^b, ΛΔP Δ P P ΔP^L .q,

∇ΔΓΔ^b Δ^b_x b< Δ^c .∇P q ΛP^a Δ^a ΔS^a ΔΛ Δ^a .

Γ∇Δ^c .Δσ^a Δ^{ab}_x

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$\rho \cdot \Delta \omega(\tilde{L}^q) \subset \Delta \wedge \sigma \sigma^* \tilde{b} \subset \sigma \sigma^* \tilde{L}^q \cdot \Delta \omega(\Delta) \cdot \Delta \tilde{L}$
 $\Delta \Delta \tilde{L} \quad \rho^c \quad \Delta \sigma \sigma^* \tilde{b} \cdot \Delta \sigma^* \omega \quad \Gamma \omega \cdot \tilde{c} \quad \nabla \sigma \quad \omega^c)(\tilde{L} \cdot \Delta \cdot \tilde{b} :$
 $\tilde{L} \omega \quad \tilde{L} \quad \omega^c dL \quad \Gamma \sigma d\omega, \triangleright \quad U \nabla \omega \Gamma q \omega^c, \quad \nabla \sigma \quad \omega^c \cdot \rho \nabla \sigma \Gamma \cdot \tilde{b}$
 $\tilde{b} \subset \nabla \sigma \quad \Delta \tilde{L} \Gamma \nabla \tilde{c} \cdot \Delta \cdot \tilde{b} \quad \rho \quad \omega^c \Gamma \tilde{c} \omega^c \omega^c, \quad \Delta \Delta \omega \quad \Gamma \sigma^* \quad q \quad \Gamma \omega)-$
 $\tilde{c} d \cdot \Delta \tilde{L}, \quad \rho \quad \omega^c \rho U \omega(\tilde{L} \cdot \Delta \tilde{L} \omega^c \omega^c \quad \triangleright \triangleright \tilde{L} \quad \Delta \tilde{L} \omega^c \omega^c \quad \Gamma \quad \rho q \omega(\tilde{L} \omega^c$
 $\rho \quad U \cdot \nabla \cdot \Delta \omega, \quad \tilde{b} \subset d\omega^c \quad \Delta \tilde{L} \omega^c \omega^c \quad \tilde{b} \rho q \quad \wedge \tilde{L} \cap \sigma^* \cdot \Delta \omega_x \quad \nabla \Gamma \omega_x$

2 $d_{\alpha} \cdot \Delta \sigma \cdot \Delta^b$ xiii.

▷ $\dot{\zeta} \cdot \nabla \alpha \Gamma \mathbf{q} \cdot \Delta \alpha$ ነ $\triangleleft \triangleleft \circ$ $UV \sigma \Gamma \alpha \alpha^b$ $\Gamma \mathbf{L}^b \mathbf{X}$, ከ $\triangleleft$ ▷
 $\dot{\zeta} \rho \Delta \cdot \nabla \cdot \Delta \alpha$ $\rho \mathbf{L} \sigma$, ከ $\triangleleft$ ▷ $\cdot \Delta \Gamma \rho \cdot \nabla \Delta \alpha \cap \cdot \Delta \alpha$ $\triangleleft \sigma \Gamma^b$
 $\triangleleft \dot{\zeta}^b$ ከ $\rho \sigma^b$ ከ $\rho \alpha$ ρ ከ $\dot{\zeta} \cdot \Delta \cdot \Delta \Gamma \cdot \Delta \alpha \dot{\zeta} \alpha_x$ $\nabla \Gamma \alpha_x$

$$9 \Delta S \triangleright \dot{c} d S \triangleleft \dot{\gamma} \Gamma \triangleleft_{a,b} \nabla_a \zeta \rho S b^b{}_x$$
[illegible]

$\triangleleft \wedge \dot{\triangleleft} \circ \nabla \Gamma \Delta \mathcal{F} \cdot \nabla \wedge \mathcal{F}^b \cdot \dot{\triangleleft} \triangleleft \wedge \mathcal{Q}^a \mathcal{P}^a \triangleright \mathcal{L} \Gamma \Delta \mathcal{F} \cdot \nabla -$
 $\wedge \mathcal{F} \cdot \Delta^a \quad \dot{\mathbf{b}} \quad \Delta \mathcal{F} \Gamma \mathcal{Q}^b, \quad \mathcal{J}(\mathcal{Q}^a \mathbf{b}) \quad (\mathcal{S} \quad \Delta \Delta \circ \quad \nabla \Delta \dot{\mathbf{a}} \mathcal{d} \sigma \mathcal{Q}^a \mathbf{b}$
 $\dot{\mathbf{b}} \triangleleft \Delta \Delta \circ \cdot \nabla \sigma \mathcal{F} \mathcal{F}^a \mathbf{b}, \quad \triangleright \quad \mathbf{b} \quad \wedge \dot{\mathcal{L}} \Gamma \dot{\triangleleft}^a \quad \triangleright^c \quad \dot{\triangleleft} \dot{\mathbf{b}} \cdot \mathbf{b} \mathcal{E}_x$
 Ezek. xvii. 27.

$\sigma \cdot \dot{\Delta} \cdot \Delta \dot{c}^a \sigma \cdot \Delta \Gamma \Delta \mathcal{F} \cdot \nabla \wedge \Gamma' \cdot \Delta a^a$, $b \leq \sigma \cdot \dot{\Delta} \Gamma' \cdot \Delta a^a$
 $\perp \zeta^b \dot{\sigma}^a \triangleright a \Gamma \zeta^b \cdot \Delta \dot{c}^a d_x$ Psalm li. 3.

$\dot{b}r\dot{c}^e \sigma \quad Lr\Delta f.\nabla\wedge r.\Delta a^e, \quad \dot{b}r\wedge\dot{c}l.\Delta f^e \quad \dot{b}c$
 $b\rho a \sigma \quad \dot{c}c\dot{r}.\Delta a_x \quad \text{Psalm li. 9.}$

Ἰ₂ Δ₂σ₂◁₂ ρ β Ἰ₃↳.▽Γ₂^Δ, ▷ ρ₂Δ₂σ₂; 99^c
Ἰ₂ βρ₂ Δ₂σ₂◁₂ ρ β Ἰ₃↳.▽Γ₂^Δ_x

Ἰ₂ ▽◁₂▷₂β₂τ₂◁₂ Δ₂σ₂◁₂ (Ἰ₃ρ₂◁₂ β₂ (Ἰ₃ρ₂Δ₂ : ◁₂↳₂ .β₂↳₂ ρ β Ἰ₃◁₂Δ₂ Δ₂σ₂◁₂,
β₂ (ρ β Ἰ₃▽σ₂Ἰ₂ ▽◁₂▷₂β₂τ₂◁₂ Δ₂σ₂◁₂ ▷▷Ἰ₂
◁ρ₂β₂_x

Ἰ₂ Δ₂σ₂◁₂ ρ β Ἰ₃↳.▽Γ₂^Δ, ▷ ρ₂Δ₂σ₂: 99^c
Ἰ₂ βρ₂ Δ₂σ₂◁₂ ρ β Ἰ₃↳.▽Γ₂^Δ_x

Γ (↗ ◁₂ ρ 9 Γ₂σ₂Ἰ₂β₂ σ₂∧◁₂ Δ₂σ₂ β σ₂◁₂Δ₂-
ρἸ₂βρ₂: ρ₂Δ₂σ₂) (↗, ◁₂↳₂ ◁₂◁₂ ρ₂Δ₂◁₂ ρ ρ₂Δ₂σ₂)-
Γ₂◁₂ ρ β ↗.▽σ₂Γ₂Δ₂_x

ρ₂Δ₂σ₂ ρ β ↗.▽σ₂Γ₂Δ₂: β₂ Γ₂U ◁ρ₂β β
(Δ₂ρ₂σ₂▷ β Δ₂σ₂Ἰ₂τ₂σ₂Γ₂_x

(ρ₂ ∨ ρ₂9₂Δ₂τ₂ .▽◁₂Γ₂Δ₂, β₂ .▽.ρ₂Γ₂Δ₂, β₂
◁₂τ₂Ἰ₂ ◁Ἰ₂β₂_x

β Δ₂σ₂ .▽◁₂Δ₂◁₂▷₂ ▷₂β₂)₂, Δ₂σ₂Δ₂ Δ₂σ₂◁₂, β₂
βρ₂σ₂ 9 ◁₂σ₂ Δ₂σ₂◁₂ βρ₂9βΓ₂_x ▽Γ₂_x

¶ Γ (↗ ◁₂Γ₂▽Δ₂ρ₂ β₂ ▽Δ₂Γ₂◁₂◁₂ Ἰ₂∧₂ (Δ₂ρ₂◁₂ Δ₂◁₂ ◁₂◁₂Δ₂◁₂
▷ U.▽Δ₂◁₂)Δ₂σ₂, ρ σ₂◁₂Δ₂◁₂_x

◁₂ U.▽Δ₂Δ₂Δ₂ ◁₂Ἰ₂ ρ₂Δ₂σ₂) .▽◁₂Γ₂Δ₂ Ἰ₂↳₂Δ₂
Δ₂βΔ₂Ἰ₂, β ▷₂σ₂)₂ ρ₂σ₂ β₂ ◁₂ρ;

β₂ ◁₂ U.▽Δ₂Δ₂Δ₂ ◁₂Ἰ₂ ρ₂∧₂ X ◁₂Δ₂σ₂σ₂▷₂ρ₂Δ₂
U.▽σ₂Δ₂Δ₂, β Δ₂σ₂◁₂Δ₂Δ₂ ∨σ₂◁₂Ἰ₂β₂, ρ σ₂◁₂Δ₂ρΔ₂Δ₂
▷₂ρ₂σ₂ρ₂9₂ Γ₂Δ₂Δ₂, ρ .Δ₂9₂Δ₂Γ₂Δ₂Δ₂ Δ₂σ₂◁₂Δ₂Δ₂
◁₂Δ₂Δ₂, β₂ ρ Ἰ₂β₂β₂▷₂Δ₂ ◁₂σ₂U◁₂Δ₂Δ₂, ρ σ₂↳₂, β₂

ρ αΔβ·ἰσοδύναμα Δ, ρ Δῖς ἰσοδύναμα β; ἰσοδύναμα ἰσοδύναμα (ρ
 ρ ἰσοδύναμα β, ἰσοδύναμα ρ Δῖς, αΔβ (ρ αΔβ ἰσοδύναμα
 ἰσοδύναμα ἰσοδύναμα) ἰσοδύναμα. ἰσοδύναμα ἰσοδύναμα Δ ἰσοδύναμα Δῖς; Γ
 (ρ αΔβ 9 ἰσοδύναμα β ἰσοδύναμα β ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα
 ἰσοδύναμα

ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα; β ἰσοδύναμα ἰσοδύναμα
 ἰσοδύναμα ἰσοδύναμα Δ; β ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα;
 ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα Δ; ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα
 ἰσοδύναμα Δ, β ἰσοδύναμα ἰσοδύναμα Δ ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα

¶ Γ (ρ ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα
 ἰσοδύναμα ἰσοδύναμα

Δῖς (ρ ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα

ἰσοδύναμα ἰσοδύναμα — β ἰσοδύναμα β ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα

ἰσοδύναμα ἰσοδύναμα — ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα

ἰσοδύναμα, ἰσοδύναμα ἰσοδύναμα

X, ἰσοδύναμα ἰσοδύναμα

ἰσοδύναμα, ἰσοδύναμα ἰσοδύναμα

¶ Γ (ρ ἰσοδύναμα ἰσοδύναμα β ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα
 ἰσοδύναμα ἰσοδύναμα

ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα, (ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα
 ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα (ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα
 ἰσοδύναμα ἰσοδύναμα (ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα
 ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα
 ἰσοδύναμα (ρ ἰσοδύναμα ἰσοδύναμα ἰσοδύναμα, ἰσοδύναμα ἰσοδύναμα

¶ Γ (ᾰ 9 ΔΡ)^{ᾰḅ} Δσ^ο σ^ᾰ ΔῖΓΔῖᾰᾰ, ΔΔ^ο ΡΣβḅ ΔῖΓΔῖᾰᾰ, ḅ₄ ΔΔ^ο Λῖσ^ᾰΔσ ΔῖΓΔῖᾰᾰ, ḅ₄ ᾰ ᾰσῖσ^ᾰΔσ.Δ^ᾰΔᾰ ΔΔ^ο ΛῖΔσ ΔῖΓΔῖᾰᾰ_x

▷ ΡΖΛσ), <Δᾰ^ᾰḅḅ βΡᾰ Λσ ᾰᾰ(∇ᾰ(Γ.Δᾰᾰ, βΡᾰ ∇σΣΣᾰΡᾰ ΔΡ).Δᾰᾰ, ḅ₄ βΡᾰ .ḅḅḅ ΔῖᾰΡ.Δᾰᾰ; Γσḅḅ Ρ <Γῖḅᾰḅ ΔΔ^ο Λῖᾰᾰ(Γ.Δᾰ ΔΔ^ο ΔΡ ḅ Ρ Γσ.∇Λβ^ᾰḅḅ; σᾰᾰΔῖᾰ ᾰ ΔΣ^ᾰΡᾰΡᾰ ᾰ ᾰ.∇ᾰ(Ḽᾰḅ Ρ βΡ.9.Δᾰᾰ, ᾰᾰ (ᾰ ᾰ βᾰ.∇σΓΣῖᾰḅ ᾰ ḅῖ^ᾰ.ΔᾰΡ.ῖ ῖᾰᾰσΓḅΓᾰΡ.ῖ, ᾰ ΔΣΛḼΠ^ᾰῖᾰḅ ΔΔḼ Δῖ.ᾰΛ.Δσᾰḅ ḅ₄ Λῖσ^ᾰ.Δσᾰḅ; ▷ ΓᾰΔΣ.∇Λ^ᾰ.Δᾰ Δᾰ^ᾰ ᾰḅ X ∇Ḽ^ᾰΔḅΓᾰḅ_x ∇Γᾰ_x

ᾰ ᾰσῖσ^ᾰΔσ.Δᾰḅ_x

.Δῖᾰᾰ.ΔΣῖᾰ σᾰ ΠΛΡ^ᾰ.Δσῖᾰ Ρ ᾰᾰ(Ḽ.Δσῖᾰ, ▷ ᾰ∇ᾰ^ᾰḅᾰ; Ρ Ρᾰ ῖ.∇ᾰ^ᾰḅ.Δσᾰḅ (ᾰ Δᾰ^ᾰ Γῖ.9ᾰḼ.ΔΣῖᾰ βΡᾰ ΔσΓ^ᾰ.Δᾰᾰ ḅ₄ ᾰσῖσ^ᾰ.Δᾰᾰ ᾰᾰḅ ΠΛḅḅ; ▷ ῖΡΔ.∇.Δᾰ Δᾰ^ᾰ ΠΛᾰ.∇ Ρ.Ρῖ, ᾰḅ X ∇Ḽ^ᾰΔḅΓᾰḅ_x ∇Γᾰ_x

¶ Γ (ᾰ 9 σḅḅᾰ.Δᾰḅ σḅḅᾰ_x

ΡᾰΔΡḼ.9 Ρ ΔῖΓ∇(Ḽ.Δḅσ.Δḅ_x

▷ ᾰ∇ᾰ^ᾰḅᾰ, ᾰᾰᾰ ΡᾰΡΣḅᾰḅ, ∇ᾰ∇ᾰ(ḅᾰḅᾰ ḅ₄ Γῖḅ.Δ^ᾰḅᾰ, ∇ΡḼḅ.Δ.ῖ ΡᾰΔΡḼ.Δḅ, ᾰ∇σḼ.ῖ ᾰ∇ᾰ^ᾰḅ.Δῖ, ᾰᾰ ∇ῖ ᾰḅᾰ.ῖ ᾰḅᾰḅ.Δῖ, ᾰᾰ ῖ Ρᾰ ΔΡḼ.ΔΛ.Δσᾰḅ .∇ᾰῖ<Ḽ.ῖ βΡᾰ Δᾰᾰḅ ∇ᾰ(ᾰΡ.Δῖ; ᾰᾰ ᾰΔῖᾰḅ ΔḼ^ᾰ ᾰᾰ Δᾰ^ᾰ ᾰᾰ(Ḽ.Δσῖᾰ ᾰ Γᾰ βᾰ.Δῖ<Ḽ σ ΡᾰΔΡḼ.9Γῖᾰ ᾰᾰᾰ ᾰ ∇Σσḅᾰḅ; ḅ₄

ΔΔ° εUσ_x

▷ ΡΖΛσ) ·∇↱Γδ_ε ΡΡΡδ_ε : ε·∇σΓδ_ε ε
 9ΠΛΡρ_ε ΓΡΔδ·∇Λρ_ε_x

▷ ΡΖΛσ) ·∇↱Γδ_ε ΡΡΡδ_ε : ε·∇σΓδ_ε ε
 9ΠΛΡρ_ε ΓΡΔδ·∇Λρ_ε_x

▷ ΡΖΛσ) ·∇·ΡρΓδ_ε, VΛρ_ε ΔΡ : ε·∇σ-
 Γρ_ε 9ΠΛΡρ_ε ΓΡΔδ·∇Λρ_ε_x

▷ ΡΖΛσ) ·∇·ΡρΓδ_ε, VΛρ_ε ΔΡ : ε·∇σ-
 Γδ_ε 9ΠΛΡρ_ε ΓΡΔδ·∇·Λρ_ε_x

▷ ΡΖΛσ) <σρ_ε Δλ_ε, Δρ_ε b< Δ·Ρ-
 ρ_ε ·∇ερ_ε : ε·∇σΓδ_ε 9ΠΛΡρ_ε ΓΡΔδ·∇-
 Λρ_ε_x

▷ ΡΖΛσ) <σρ_ε Δλ_ε Δρ_ε b< Δ·Ρ-
 ρ_ε ·∇ερ_ε : ε·∇σΓδ_ε 9ΠΛΡρ_ε ΓΡΔδ·
 ∇Λρ_ε_x

▷ <σρ_ε, 9UσΓδ_ε, b< 9ρ·<·∇ε<δρ_ε
 ρρVδ_ε, b σ·<ΠρVδ ΡΖΛσ)·Δ_ε : ε·∇σΓ-
 δ_ε 9ΠΛΡρ_ε ΓΡΔδ·∇Λρ_ε_x

▷ <σρ_ε, 9UσΓδ_ε, b< 9ρ·<·∇ε<δρ_ε
 ρρVδ_ε, b σ·<ΠρVδ ΡΖΛσ)·Δ_ε : ε·∇σΓ-
 δ_ε 9ΠΛΡρ_ε ΓΡΔδ·∇Λρ_ε_x

9δ Γ·9ε(ε9ε, σ ΛΡΔδ·∇Λρ·Δσ_ε, ▷ UVε-

βΡα ΛΡββ^αΡ^αΝ·Δ^α, Ρ^β ββ^αΡ^αΝ·Δ^α, β^γ
ΛΡ·Δ)δ^γΝ·Δ^α Ρ σ^γβ^ασ·Δ·Δ^β β ΝV^αΡ^α·Δ^β; βΡα
α^γβ ΡΡ^αΔ^βΛ^α·Δ^α, Ρ ·∇Λσβ^αβ ·β^γβ Δ^βΓΔ^β·Δ^α,
β^γ ΛΡ^αΔ^βΝ·Δ^α; Λ^αβ·ΔU∇·Δ^α, β^γ Ρ ·ΔΡ^αΔ^β·
(Γ^αβ Ρ^α ΔΡ)·Δ^α β^γ βΡ·Δ^α,

Γ^α UV^αΡ^α·Δ^α, Γ^α·Δ^αΛ·Δ^βΔ^α·Δ^α

Ρ^α ΛΛβ^αU^α·β^β Ρ^α Δσσ·Δ·Δ^α; Ρ Λσ σ^γ·ΔΡ·Δ^α
β^γ Ρ ΡΡ^α·Δ^βΡV^αΔ^β·Δ^α; Ρ Ρ^βΔ^β·Δ^β·Δ^α, Ρ <βU-
ΔΝ^α·Δ^α, β^γ Ρ β·ΔΡΔ^β·Δ^α Δ^α·Ρ,

Γ^α UV^αΡ^α·Δ^α, ΛΛΡΔ^βΔ^α·Δ^α

Ρ ·Δ^αΔ^α·Δ^α·Δ^α β^γ Ρ Γ^α·Ρ·Δ^β·V^α·Δ^α Δ^α·Ρ; Ρ^α
Δ^βU^α·Δ^β·Δ^α β^γ Ρ Δ^βΡ^α·Δ^α Δ^α·Ρ; Δ^βΔ^βΛU^α·β^β Ρ
σ^γ·Δ^α β^γ Ρ αΔ^β·Δ^α Δ^α·Ρ; Δ^βU^α·β^β Ρ^α Δ^βΛΡ-
Δ^α·Δ^α β^γ Ρ^α Δ^βΛ^α·Δ^α Δ^α·Ρ; β^γ Ρ Λ Γ·ΡΔ^α·
Δ^α·Ρ^α Δ^β·Δ^α,

Γ^α UV^αΡ^α·Δ^α, ΛΛΡΔ^βΔ^α·Δ^α

ΔΛ ΔΝΛΡ^α·Δ^α·Δ^α; β^γ ΔΛ ΔΡ·Δ^β·Δ^α·Δ^α·Δ^α; ΔΛ
·∇Ρ^α·Δ^α σ σ^γ·Δσ^α·Δ^α, β^γ Ν^α·Δσ^α·Δ^α ΡΔ^β·Δ^α,

Γ^α UV^αΡ^α·Δ^α, ΛΛΡΔ^βΔ^α·Δ^α

σ^α·Δ^α·Δ^α ΓΡΔ^β·∇Λ^α·Δ^α·Δ^α Ρ α^α·Δ^α·Δ^α·Δ^α Ρ
α^α·Δ^α·Δ^α·Δ^α, ▷ UV^αΡ^α·Δ^α Ρ^α·Δ^α·Δ^α; β^γ Ρ Γ·Δ^α·

(L° ρ NV°(L° ḡ < bα.∇°(L° ΔΔ° ρ ∧σ ḡ
Γḡ.Δ° ΓUβΓ° ΔΔḡ .ḡ < Γḡ°;

ρ α°)(L.Δσḡ° ρ μ°(Δḡ°°°, Γμ UV°ργx

ρ Γ.ḡ°(L° ρ bα.∇σL° ḡ < ρ L°β.Δḡ° .ḡ <
ρ α.Δρ(Δ°, .ḡ < ḡβ.Δσ° ḡ < ∧ḡβ.Δσ°,
ḡ° ρ <Γ(ḡ° Δ°)α < σ ρḡḡL.γḡ° ḡ NVσ-
Γḡ°;

ρ α°)(L.Δσḡ° ρ μ°(Δḡ°°°, Γμ UV°ργx

ρ Γ.ḡ°(L° ρ NV°(J.ḡ° DUD ρ U.V<σΓ°, ρ
ḡσḡ(Δ°, ḡ < ρ ḡρΔ°, ḡ < J°β ρ ΔVσJ(Δ°,
J°β (° ρ αḡ°)α° ρ ρU°(ḡ.Δσσ ḡ < ρ
ρḡ.ḡ.∇°(ḡ.Δσσ;

ρ α°)(L.Δσḡ° ρ μ°(Δḡ°°°, Γμ UV°ργx

ρ Γ.ḡ°(L° ρ bα.∇σL° ḡ < ρ.Δ)β.ḡ° ρ ḡḡḡḡ
βρ α Δσ° ḡ°γσΓḡ°;

ρ α°)(L.Δσḡ° ρ μ°(Δḡ°°°, Γμ UV°ργx

ρ Γ.ḡ°(L° ρ ḡ.∇σL° ḡ < ρ bα.∇σL° ḡ<°
∇°ḡ° .∇° < Δρσ ḡ NV°(α°, .Δ.ḡ°, ḡ < βρ α
ρḡḡḡL.γ > ρα.∇°(βα°;

ρ α°)(L.Δσḡ° ρ μ°(Δḡ°°°, Γμ UV°ργx

ρ Γ.ḡ°(L° ρ .ḡḡαL.ḡ.ḡ βρ α ρḡḡḡΓ∇.ΔḡL.ḡ°
ḡ < ḡḡΓ∇.ΔḡL.ḡ°, .ḡ < ργ°(J.ḡ° ḡ < σḡ)(J.ḡ°

ρ^c Δρ)·Δσσ; Γ (ς ρ ·Δ̇<ε̇Δ·∇·Δ̇ ∇ ∫ ρρ_δΔ-
 Ḳ·Δ̇ ḡ ∇ ∫ ἈΛΠρ·Δ̇;

Ρ α^a)(L·Δσḡ^a ρ ḡ^a(·Δ̇^ḡḡ^b, Γ_δ UV^aρ^ḡḡ^a_x

ρ Γ·ḡ^a(L^a ρ Γ_a·ḡ ḡ ρ^a)·Δ̇ ΔρḲ·Δ^b, ḡ ∇ ḡρ_a
 ḡρ·ḡ·Δρ·Δ̇ ΔρḲ·Δ^b, ς·∇^aρ^ḡ·Δσσ, ḡρ(·∇^a(J-
 ·Δσσ, ḡ ∇ σρ)(J·Δσσ;

Ρ α^a)(L·Δσḡ^a ρ ḡ^a(·Δ̇^ḡḡ^b, Γ_δ UV^aρ^ḡḡ^a_x

ρ Γ·ḡ^a(L^a ρ ς·∇σL·ḡ ḡ ρ ḡ^a·∇σL·ḡ U<ḡ-
 σḡ·Δ̇, ρ Γ_a·ḡ ς·∇^aρ^ḡ·Δσσ ḡ^bḡ ρ Π<ḡσḡ·Δ̇,
 ḡ ∇ ρ Γ^aρΓ^a(J·Δ̇ U·V·Δσσ;

Ρ α^a)(L·Δσḡ^a ρ ḡ^a(·Δ̇^ḡḡ^b, Γ_δ UV^aρ^ḡḡ^a_x

ρ Γ·ḡ^a(L^a ρ ς·∇σL·ḡ ḡ ρ ḡ^a·∇σL·ḡ ḡρ_a
 ρ^c ΔσσL^b;

Ρ α^a)(L·Δσḡ^a ρ ḡ^a(·Δ̇^ḡḡ^b, Γ_δ UV^aρ^ḡḡ^a_x

ρ Γ·ḡ^a(L^a ρ Γ_a·ḡ ḡρ_a ∇_aḡ^aρ·Δ̇ Δσσ·Δ^b
 ∇^a·ḡ^aσ^aΠ·Δσσ, Γ_δ·Δρρ·∇^aεΠ·Δσσ, ḡ ∇ Ἀḡσ-
 ρ·Δσσ;

Ρ α^a)(L·Δσḡ^a ρ ḡ^a(·Δ̇^ḡḡ^b, Γ_δ UV^aρ^ḡḡ^a_x

ρ Γ·ḡ(L^a ρ Γ̇^ḡḡ^b ΔUΔḲ ρ ḡ^aρΔσḡ^a ḡ ∇
 ρ ḡ^aσḡ^a(·Δσḡ^a, ḡ ∇·∇·∇σ^a ρ ἈΛΠρ^ḡḡ^b Ḳ^ḡ
 ∇ρ)Ḳḡρ_a ρ ḡρ·ḡ·Δ_a;

Ρ α^a)(L·Δσḡ^a ρ ḡ^a(·Δ̇^ḡḡ^b, Γ_δ UV^aρ^ḡḡ^a_x

ገ ገ·ጐፎ(ፒፎ ሙሉፈ ገ ገፎ·ፎ ሐዖፎ ሥ ልፀፀፒፆ
 ር·ፕፎገፍ·ልፀፀ ፈፆፎፀፒ·ልፀፎፆ ገ ለገፎ(ፒ·ፈፆ ሥ ልዖ)-
 ·ልፀፀ, ፆፋ ለፀ ፎፕፈ·ፕ·ልፀፎፆ ገ ፈፆፈፈፒ·ፈፆ, ገ
 ፀ·ፆ(ልዖ)·ፈፆ (ር ለፀ ፈፆፈ ልፀገፍ·ልፆፆ;

ዖ ፆፆ)(ፒ·ልፀፆፆ ገ ፆፆ(ልፀፆፆፆ, ገፆ ሀፕፎገፍፆፆx

ገ ገ·ጐፎ(ፒፆ ገ ለፆ·ፆ ልፈፒ ሀ·ፕ·ልፀፆፆ ሐዖፆ ልዖፆ
 ፆ ·ፈፀፀፆፆፆፆ, ፆፋ ፆ ·ፈፋፀፈፆፀ·ልፆፆፆ;

ዖ ፆፆ)(ፒ·ልፀፆፆ ገ ፆፆ(ልፀፆፆፆ, ገፆ ሀፕፎገፍፆፆx

ገ ገ·ጐፎ(ፒፆ ገ ፒፆፆ·ልገፈፆ·ፆ ልዖፆ ፆ ፀፆ·ልፆፆፆ;
 ፆፋ ገ ገ·ጐፀፒፈፆ·ፆ ፆፋ ገ ·ል)ፆፆፆ·ፆ ልዖፆ ፆ ፆፈፕፕ·ፆፆፆ;
 ፆፋ ገ ፆገ·ዖፆፆ·ፆ ልዖፆ ፆ ፆፆፀፀፆፆፆፆ; ፆፋ ሀፈፈ ገ
 ፒፒፆፆፆፆፆፆፆ ፈፆፆ ፕፆፆ ገ ፆፆፆፆፆፆ;

ዖ ፆፆ)(ፒ·ልፀፆፆ ገ ፆፆ(ልፀፆፆፆ, ገፆ ሀፕፎገፍፆፆx

ገ ገ·ጐፎ(ፒፆ ገ ፆፆፒፆፆ·ፆ, ገ ·ል)ፆፆፆ·ፆ, ፆፋ ገ
 ገ·ጐፀፒፈፆ·ፆ ሐዖፆ ፆ ፆፀፆፀገፆፆፆፆ, ፆ ፒፀገፆፆፆፆ, ፆፋ ፆ
 ፆፆፀገፆፆፆፆ;

ዖ ፆፆ)(ፒ·ልፀፆፆ ገ ፆፆ(ልፀፆፆፆ, ገፆ ሀፕፎገፍፆፆx

ገ ገ·ጐፎ(ፒፆ ገ ሐፆ·ፕፀፒፆ·ፆ ሐዖፆ ፆ ፆፆፆፐፕ·ፆፆ ፈዖፆፆ
 ፆፋ ሙሉፆፆ, ሐዖፆ ልፆፆፆፆ ፆ ፈፆ ፈፈፆፀፀፀፆፆፆፆፆፆ, ሐዖፆ ፆ
 ፈፈገፆፆፆፆ, ፆፋ ፈፆፆፈፆፀፆፆፆ; ገ ሥፐፒፆፀፒፆፆፆፆ (ር ሐዖፆ ፆ
 ሥፆፆፆፆፆፆፆ ፆፋ ፆ ፆፀፆፆፆፆፆ;

ዖ ፆፆ)(ፒ·ልፀፆፆ ገ ፆፆ(ልፀፆፆፆ, ገፆ ሀፕፎገፍፆፆx

Γ·τ(Λ ρ α(Λ·Δ·, β ρ Δ·ΠαΛ·Δ·
·∇·Γ·Γ·β Δ·Λ·Π·β, β ρ Δ·9·Δ· τ>σ·ρ Δ
Δ·V·Γ·Δ·, β ρ β·ρ α 9·Π·Π·Δ· β ρ τ·β·ρ Δ·;

ρ α(Λ·Δ·σ· ρ α(·Δ·β, Γ· UV·ρ·β·x

Γ·τ(Λ ρ ς·∇·σ·Δ· β·ρ α Δ·σ·Δ·;

ρ α(Λ·Δ·σ· ρ α(·Δ·β, Γ· UV·ρ·β·x

Γ·τ(Λ ρ ·∇·V·(Λ·Δ· ς·α·9·σ·Γ·β·ρ·, τ·β·
ρ Δ·β·ρ·, β ρ Γ· Δ·σ·Γ·β·ρ·, ρ ·9·ρ α Λ·Δ· (ς
Δ·U·Δ·;

ρ α(Λ·Δ·σ· ρ α(·Δ·β, Γ· UV·ρ·β·x

Γ·τ(Λ ρ Γ·β·β β ρ β·∇·(Λ·Δ·β
ρ ρ Δ·(ρ)·β β·ρ α τ·Δ·ρ·ρ α Δ·ρ·β, Γ (ς Δ·ρ·β
ρ ρ Δ·(ρ)·β;

ρ α(Λ·Δ·σ· ρ α(·Δ·β, Γ· UV·ρ·β·x

Γ·τ(Λ ρ Γ·β·β 99· Γ·ρ α·∇·(·Δ·;
ρ Δ·V·(Λ·Δ·β β·ρ α σ Λ·ρ Δ·β·∇·Λ·ρ·Δ·σ·,
σ Λ·ρ Δ·ρ·Δ·σ·, β ρ σ β·ρ Δ·ρ·Δ·σ·; ρ Λ·σ·
ρ α Λ·Δ·β (ς ΔΔο ·Δ)·β·9·Δ· ρ Λ·σ Δ·β β
Δ·ρ·β ρ Δ·(ρ)·β σ Λ·ρ Δ·σ·σ· Δ· ∇·ρ)·Δ·β
ρ Λ·σ Δ·ρ)·Δ·;

ρ α(Λ·Δ·σ· ρ α(·Δ·β, Γ· UV·ρ·β·x

$\dot{p}^a$ $P_{2L\sigma}$ · $\nabla \cdot P_{2\Gamma^b}$: P^a (L · Δσ $\dot{a}^a$ Γ $\wedge$ Γ^a · Δσ $\dot{a}^b_x$

$\dot{p}^a$ $P_{2L\sigma}$ · $\nabla \cdot P_{2\Gamma^b}$: P^a (L · Δσ $\dot{a}^a$ Γ $\wedge$ Γ^a · Δσ $\dot{a}^b_x$

▷ $\dot{p}^a$ $P_{2L\sigma}$ · $\nabla \dot{L} a \dot{L} \sigma \Gamma^b$, · $\nabla^a \Pi a L^a$ ▷▷L
ΔP $\dot{a}^b$ L Γ Δσ · $\nabla \wedge \Gamma^a$ · Δσ $\dot{a}^a$;

$\Gamma \sigma \dot{a}^a$ P $\wedge \dot{L}^a$ (J · Δσ $\dot{a}^x$

▷ $\dot{p}^a$ $P_{2L\sigma}$ · $\nabla \dot{L} a \dot{L} \sigma \Gamma^b$, · $\nabla^a \Pi a L^a$ ▷▷L
ΔP $\dot{a}^b$ L Γ Δσ · $\nabla \wedge \Gamma^a$ · Δσ $\dot{a}^a$;

$\zeta \cdot \nabla \sigma \Gamma \dot{a}^a_x$

▷ X, $\wedge \Gamma^a$ (· Δσ $\dot{a}^a_x$

▷ X, $\wedge \Gamma^a$ (· Δσ $\dot{a}^a_x$

UV $\dot{a}^b$ Γ^a , $\zeta \cdot \nabla \sigma \Gamma \dot{a}^a_x$

UV $\dot{a}^b$ Γ^a , $\zeta \cdot \nabla \sigma \Gamma \dot{a}^a_x$

X, $\zeta \cdot \nabla \sigma \Gamma \dot{a}^a_x$

X, $\zeta \cdot \nabla \sigma \Gamma \dot{a}^a_x$

UV $\dot{a}^b$ Γ^a , $\zeta \cdot \nabla \sigma \Gamma \dot{a}^a_x$

UV $\dot{a}^b$ Γ^a , $\zeta \cdot \nabla \sigma \Gamma \dot{a}^a_x$

¶ Γ (· $\dot{L} \Gamma \nabla \Delta P \dot{L}$ $\dot{L} a$ Δσσ · Δ $\dot{b}$ Δ $\dot{b} <^a$ q ΔP) · Δ $\dot{b}$ UV $\dot{a}^b$ Γ^a Δ $\dot{b}$ $\dot{L} \Gamma \dot{L}^a_x$

· $\nabla \dot{L} \Gamma \dot{L} a$ Pσ $\dot{a}^b$ $\nabla \dot{L} a$, (P $\dot{L} \dot{L} \wedge U \dot{a} \dot{L}^b$ Γ^c P $\dot{c}$ Δσ $\dot{b}^b$ · Δσ $\dot{a}^x$ P $\dot{c}$ ΔP $\dot{L}^a$ · Δ · Δ $\dot{a}$ ((Pσ $\dot{a}^b$ L $\dot{b}^c_x$ $\nabla \sigma$ $\dot{a}^a$ (· ∇^a (L $\dot{a}$ (Γ^b U ▷▷L ΔP $\dot{a}^b$ $\dot{L}^b$ $\dot{L}^b$ PσPσ $\dot{a}^b_x$ $\Gamma \sigma \dot{a}^a$ $\dot{a}^b$ Pσ $\dot{b}^b$ q Δ $\dot{a}$ $\wedge \dot{L} \Pi \dot{L}^b a_x$ $\dot{L}^b$ $\nabla \sigma$

Γ₃ḡ^ε (ε σ ΛΓΔΓΓ₉·Δσḡσ^ε, ∇₃ ḡ·V<σL_P·ḡ
Δ_P° b ΛΓ)·Δ₃Γ^ε_P° q_d Δ₃·Δ₃ḡ^ε₉° b·q₉Vσ^ε-
₉·Δσ^ε; Γ₃·q₉L·Δ₃ḡ^ε (ε b ḡ₃(^ε_P^ε_x ∇₇^ε_x

ḡ₃Γ∇·Δ_PL_x —▷ UV^ε_Pq₃^ε, q_d ḡ₃·Δ₃ḡ^ε₉°
ḡ₃ ∇₃ ΛΓΔ₃·∇Λ₃ḡ^ε₃^ε_x

Δσσ·ḡ₃^ε_x — q_d ḡ₃ Δ₃Γ<ΔL·Δ₃ḡ^ε₉° ḡ₃ ∇₃
b_P<Γ₃ḡ^ε₃^ε_x

ḡ₃Γḡ₃^ε_x

▷ P₂Lσ), 2·∇^ε_Pq₃^ε ·∇₃ḡ₃Γ_d^ε, ḡ₃₉·∇^ε-
(₃·ḡ^ε P₉L_PU∇·Δ₉° ḡ₃ ▷ <_dσ₃·Δσ·ḡ₃ Δ_P°
₇^ε_P₉·∇₃^ε(₃·ḡ₃; ε·∇^ε_Pq₃·Δ ·Δ)₃·Δ₃ḡ^ε P ḡ₃-
Γ∇(·Δσḡ^ε₃ ḡ₃ ḡ₃ ḡ₃ P₃·Δσḡ^ε ḡ₃ σ^ε
ḡ₃Γ^ε(₃·Δσḡ^ε ḡ₃L^ε(_dḡ₃ḡ₃^ε_P°; P₉L_Pḡ₃·Δ₃ḡ^ε₉°
(ε, Δ₃ L₃ ·q_dḡ₃° ḡ₃ ·Δ ḡ₃(·Δ₃Γ^ε₃ L₃Lσ) ḡ₃L
Δσσ ▷ ·ḡ₃Δ₃·∇·Δσ·ḡ₃^ε₃ Γ Γ₃·q₉L_dḡ^ε₃^ε₃ P Γ₃
b₉·∇^ε_Pq₃·Δσ^ε₃ Δ₃°; σ₉·Δ^ε P <Γ₃b₉^ε σ^ε_d P
ḡ₃(_dḡ₃ḡ₃^ε₃ ḡ₃ḡ₃ΓΔ·∇·Δ₉°, ḡ₃ ḡ₃ Γ ḡ₃ḡ₃Γσḡ^ε₃^ε₃ P
Λσ ḡ₃Γḡ₃·Δσ^ε₃; ·ḡ₃ Δ₃° Γ₃ X UVσΓ₃Γ^ε₃_x
∇₇^ε_x

▷ UV^ε_Pq₃^ε, <₃·ḡ₃°, ·Δ)₃·Δ₃ḡ^ε₉°, ḡ₃ Λ₃LΓΔ-
ḡ^ε₉° P₃ Δ₃σḡ₃·Δσ^ε₃ Δ₃°_x

▷ P₂Lσ), σ₃·ḡ₃ḡ^ε₃ ḡ₃ P Δ₃° ḡ₃Γ^ε,
ḡ₃ ḡ₃σ<ḡ₃ ḡ₃ P ·Δ^ε(_Lḡ₃ḡ₃<^ε Δσ° P₃ ḡ₃Δ^ε
ḡ₃ P ḡ₃(₃·ḡ₃ ḡ₃ P Λ₃Γ₃·ḡ₃, ḡ₃ ḡ₃ Γ₃ P Λ
Λ₃Γ₃·ḡ₃_x

ԴՏձ^ա, ԲԲ^ա Ծ Կ^աՔԲԻ·Δ^աՏձ^ա ՍԸԸ Բ ՎՄԾԼ^աԼ^աԲ
 Բ Կ·Վ^աՔԲԻ·Δ^ա, ԼԿ^ա (Կ Բ <ԴԸ·Δ^աՏձ^ա Լ^աՈՂ-
 ·Δ^աՏձ^ա ԲԿ ·ԲԿ·ԲՈՂ·Δ^աՏձ^ա, Բ Ը^աՔ ԲՍԾԴԸ^ա ԲԿ
 ԲԲ·Ը·ՎՄԾԴԸ^ա; ·Δ^ա Ը^աՔ Բ ՎՄԸ Գ^աԸԼ·Δ^աԴԴ^ա,
 ԲԿ X ՍՎԾԴԸ^ա ԸԴ^ա_x

ԸԸ ՎԴԴ·Δ^ա <ՏԲ^ա ԿԿԸ_x

ԼԻԼ·Δ ԼԿ^ա·ΔԴ^ա ԲՂԼԾ), ժ^աԸ Բ ԴՏԻ^ա
 Կ·Վ^աՔԲԻ·Δ^ա ՎՄԸ Δ^աԸ(Լ·Δ^աՏձ^ա Բ ձ^ա)ԴՏձ^ա;
 Բ Բ ·Δ^աԸԼԳ (Կ ՎԼ ՏԴ^ա ԲԿ ՏԴ^ա ԼԻ·Δ^աՔԴ)·Վ^ա
 ΔΔԼ ԲԸ ΔՏՏԲԻ·Δ^աՏձ^ա Բ Դ^ա·Ը ՎՄ^ա Գ^աԸ(Լ·Δ·Բ;
 Լ^ա Ի ժ^աԸ ԴՏԸ, Ը ՍՎ^աՔԲ^ա, ՎՄ <ԲԿՄԴ·Բ
 ԲԿ ՎՄ ՎԴԴ·Δ·Բ Բ <ԴԸԲ^ա, ΔΔ° ԴՏԲ Գ
 Դ^աԸԸ·Վ^ա, Բ <ԲՍ^աԸԼ·Δ^աԻ^ա ԸԸԼ ՎՔ^ա Բ ԲԳ^աԸԼ^ա
 Բ Ս·Վ·Δ^ա, ԲԿ ԸԸ ՎՔ^ա ԲԲԳ ԼԼՈՂ·Δ^ա_x ԸԴ^ա_x

2 ժԿԸ·ΔՏՏ·Վ^ա_x xiii.

Ը Կ·Վ^աՔԲԻ·Δ^ա Ի ՎԸ° ՍՎԾԴ^ա ԲԿ X, ԲԿ Ը
 ԻՔΔ·Վ·Δ^ա ԲՂԼԾ), ԲԿ Ը ·ΔԲԲ·ՎΔ^աՈ·Δ^ա <ՏԲ^ա
 ՎԼ^ա, ԲՔՏԲ ԲԲ^ա Բ Բ ·Δ ·ΔԲ·ΔԸ^ա_x ԸԴ^ա_x

Ἰ.Λ.Δ. ὁ ὁ δ.Ἰ.Δ.α_x

Ἰ.Λ.Δ. Λ^ςἸ.Δ.ῥ^ςἔ^ς ρ^ςΛ^ςσ), .∇^ςῥ^ςΓ^ςδ^ςἔ^ς ἔ^ςρ^ς
 ἔ^ς.∇^ςῥ^ςἔ^ς.Δ^ςἔ^ς, σ^ς.Δ^ςἔ^ς.∇^ς<Γ^ς(ἔ^ςσ^ςΓ^ςἔ^ςἔ^ς (ἔ^ςἔ^ςΛ^ςἔ^ςἔ^ς-
 δ^ςῥ^ς.ἔ^ςἔ^ς ἔ^ςΛ^ςῥ^ς ρ^ς ἔ^ςἔ^ςἔ^ςἔ^ςἔ^ςἔ^ςἔ^ς ἔ^ςἔ^ς σ^ς.ἔ^ςΔ^ςἔ^ςἔ^ς ἔ^ςῥ^ς
 ρ^ς ὁ ὁ δ.Γ^ςσ^ςἔ^ςἔ^ς ἔ^ςρ^ς ρ^ς ἔ^ς.∇^ςῥ^ςἔ^ς.Δ^ςἔ^ς ἔ^ςἔ^ς ἔ^ς.∇^ςῥ^ς-
 ἔ^ς.Δ^ςσ^ς ρ^ς.ἔ^ςἔ^ςἔ^ς.Δ^ςἔ^ς ρ^ς Γ^ςἔ^ςἔ^ςἔ^ς σ^ς.Δ^ςἔ^ς ἔ^ςἔ^ς ἔ^ςρ^ς
 Δ^ςσ^ς.ἔ^ς;—[ἔ^ς.ἔ^ςἔ^ςἔ^ς (ἔ^ς Δ^ςρ^ς ἔ^ςἔ^ςἔ^ς ἔ^ς ἔ^ς.∇^ςἔ^ς-
 ἔ^ς.ἔ^ς ῥ^ς ἔ^ςἔ^ς.∇^ςΓ^ς.ἔ^ς ἔ^ςἔ^ς ὁ ὁ δ.Γ^ς.ἔ^ς ρ^ς ἔ^ς.∇^ςσ^ςΓ^ς.ἔ^ς
 ἔ^ςῥ^ς],—ρ^ς ἔ^ςἔ^ς.∇^ςΓ^ςἔ^ςἔ^ς ρ^ς Δ^ςἔ^ςἔ^ςἔ^ς, ρ^ς ἔ^ς.∇^ς-
 σ^ςΓ^ςἔ^ςἔ^ς, ἔ^ςἔ^ς ρ^ς Γ^ςἔ^ςἔ^ςἔ^ς ἔ^ςρ^ς ἔ^ςἔ^ς .∇^ςσ^ςἔ^ςἔ^ςἔ^ς ἔ^ς
 ἔ^ςἔ^ςἔ^ςἔ^ς ἔ^ςἔ^ς ρ^ς ἔ^ςἔ^ςἔ^ςἔ^ς; ἔ^ς.ἔ^ςἔ^ςἔ^ς (ἔ^ς Δ^ςΔ^ς, ρ^ς
 ρ^ςῥ^ς ἔ^ςρ^ς.∇^ς.Δ^ς (ἔ^ς<ἔ^ςἔ^ςἔ^ςἔ^ςἔ^ς ρ^ς ἔ^ςἔ^ςἔ^ςἔ^ς Δ^ς
 ἔ^ςρ^ς .ἔ^ςἔ^ς ἔ^ςῥ^ς ἔ^ςἔ^ςσ^ςΓ^ςἔ^ςἔ^ς ῥ^ςἔ^ς X; ρ^ς Γ^ςἔ^ςἔ^ςἔ^ς ἔ^ς
 ἔ^ςῥ^ς ἔ^ςἔ^ςἔ^ςἔ^ςἔ^ς ρ^ς ἔ^ς.∇^ςῥ^ςἔ^ς.Δ^ς .Δ^ς)ἔ^ςἔ^ς.Δ^ς, ἔ^ςἔ^ς ἔ^ς Δ^ςἔ^ς
 ἔ^ςἔ^ςἔ^ςἔ^ςἔ^ς ἔ^ςρ^ς ἔ^ςἔ^ςἔ^ςἔ^ςἔ^ς.Δ^ςἔ^ςἔ^ςἔ^ςἔ^ςἔ^ς ἔ^ςἔ^ς (ἔ^ς ρ^ς ἔ^ς)ἔ^ς-
 .Δ^ςσ^ςἔ^ς, Γ^ςἔ^ςἔ^ςἔ^ς ῥ^ς Δ^ςἔ^ς ἔ^ςἔ^ς.ἔ^ςἔ^ςἔ^ςἔ^ς ἔ^ςρ^ς ρ^ς ἔ^ς.∇^ςῥ^ς-
 ἔ^ς.Δ^ςἔ^ς, ἔ^ςἔ^ς ῥ^ς ὁ ὁ δ.ἔ^ςἔ^ςἔ^ςἔ^ςἔ^ς σ^ς.ἔ^ςΔ^ςἔ^ςἔ^ς, ῥ^ς ὁ ὁ δ)ἔ^ςἔ^ς
 (ἔ^ς ρ^ς ἔ^ςἔ^ς.∇^ς.ἔ^ςἔ^ς.Δ^ς ἔ^ς.Δ^ς σ^ςΓ^ς σ^ς)σ^ςἔ^ςἔ^ς ἔ^ςῥ^ς,
 σ^ςἔ^ς Δ^ςἔ^ςἔ^ςἔ^ς.Δ^ςσ^ςἔ^ςἔ^ς ἔ^ς; ρ^ς <ρ^ςἔ^ςἔ^ςἔ^ςἔ^ς ῥ^ς
 <Γ^ς.Δ^ςσ^ςἔ^ςἔ^ς, ἔ^ςἔ^ς ρ^ς ἔ^ςἔ^ςἔ^ςἔ^ς Δ^ςἔ^ς ἔ^ςἔ^ςἔ^ςἔ^ς
 ἔ^ςἔ^ςἔ^ς.Δ^ςσ^ςἔ^ς ἔ^ςἔ^ς.ἔ^ςἔ^ςἔ^ς.Δ^ςσ^ςἔ^ςἔ^ς ῥ^ςἔ^ς ἔ^ςἔ^ςἔ^ςἔ^ςἔ^ς;
 .ἔ^ςἔ^ς ἔ^ςῥ^ς ῥ^ςἔ^ς X ἔ^ςἔ^ςσ^ςΓ^ςἔ^ςἔ^ς, .ἔ^ςἔ^ς ἔ^ςἔ^ς ἔ^ςἔ^ς
 ἔ^ςἔ^ςἔ^ς ἔ^ςἔ^ς ρ^ς ἔ^ς ρ^ς.ἔ^ς.∇^ςἔ^ςἔ^ςἔ^ςἔ^ς ἔ^ςἔ^ς.∇^ςΓ^ςἔ^ς ἔ^ςῥ^ς
 .Δ^ςἔ^ς ἔ^ς Δ^ς.ἔ^ςἔ^ςἔ^ςἔ^ςἔ^ς ∇^ςἔ^ςἔ^ς

$\triangleright_{\mathcal{M}} \langle \gamma \Gamma \dot{\Delta} \Delta_{\mathcal{M}} \rangle \subset \langle \dot{\Delta} \langle \Gamma \Gamma \dot{\mathcal{U}} \cdot \Delta_{\mathcal{M}} \rangle \Delta_{\mathcal{M}} \sigma \Gamma \dot{\mathcal{C}} \cdot \Gamma \rangle$
 $\rho \Gamma^{\gamma} \Gamma \sigma^{\beta}_x$

$$\sigma(L) \trianglelefteq \Gamma \nabla \rho \mathcal{S} b^b \trianglelefteq \mathcal{C} \mathcal{V} a. \cap a b_x$$

ሲኒረ.ፈ ረኔ.ፈረኔዳ ዋሪረረ), ሸሸፊፈ ሩ.ፍዳረዓ.ፈዳ
 ሸ ሸ.ፍረፈረኔ ሸረረ.ፈ ፈዳ.ፈዳዳ, ፊፋ ሸ ረፊፊረኔ
 .ፈረኔ.ፈረ ፈ.ፍ.ፈዳ, ገ.ፊ ፈዳረ ረሸረኔዳ, ፈረ
 ዋ.ዋ ሸረ ፊ ሸ ረ ሸረኔዳዳ ሸረ ፈፊረ.ፈ.ፈዳዳ;
 ፈረረ ረ ፈ.ፈ.ፊረዳዳ ዋረሸረ, ፈረ ሸ.ፈ ፋ ረ
 (ዋረዳ ሸ ረረ).ፈ ዋረ.ፈ.ፈረ.ፈዳዳ, ሸ ሸረፈረ ፈዳ
 ረሸረረዳ ፊፋ ፈዳ ሸረዳ, ሸ ፈረፈረኔዳ ፊዋረ ሸ
 ረሸረኔዳ, .ፈዳ ሸዳ ፊ.ፈረረሸረረፊ ፊፋ ሸረዳረፊ
 ዋ ፊፋ ፈረረ ፈረኔ, ፈዳረ ፊፋ ፊዋረዳ ፍረዳ

$$\sigma \mathcal{S}_a \triangleleft \Gamma \nabla \rho \mathcal{S}^b_b \triangleleft \mathcal{V}_a \cap a_b x$$
[illegible]

$\triangleright \sigma \dot{\Delta} \cdot \Delta \rho \cdot \Delta^a \text{ UV} \sigma \Gamma a^b x$

$\dot{\Delta} \triangleright L \cdot \Delta \text{ } L^b \cdot \Delta \rho^b \text{ } P \triangleright L \sigma$), $\dot{\Delta}$ $\Gamma \rho^b$ $\dot{\Delta} \triangleright \sigma \rho^b$
 $P \cdot \rho^b$ Γ $\Delta \dot{\Delta} \rho \dot{\Delta} L^b$ σ^a $\Delta \dot{\Delta} \rho \dot{\Delta} \sigma^a$, $\dot{\Delta}$ $\dot{\Delta} \rho^b$
 $\sigma^a \dot{\Delta} L$ Γ $\sigma \dot{\Delta} \cdot \Delta \rho \Delta \rho^b$ $\Delta \sigma$ $\Gamma \sigma$ $\Delta \rho \sigma \rho \cdot q^a$; $\langle P U^a (a$
 $\sigma^a \cdot \Delta^a$ ρ $\Delta \rho \sigma \dot{\Delta} \cdot \Delta \rho^b$, $\dot{\Delta}$ ρ^a Γ $\Delta \sigma \dot{\Delta} \sigma \Gamma \rho^b$
 $\Delta \dot{\Delta} L$ ρ $\rho \cdot \nabla^a \rho q \cdot \Delta \sigma^a$ $\nabla^a (L$ $\rho \rho^b$ Γ $\Delta \rho \sigma \dot{\Delta} \cdot \Delta$
 $\rho \Delta \triangleright \Gamma^a$ ρ $\Delta \sigma$ $\dot{\Delta} \rho^b$; $\cdot \Delta^a$ $\Delta \rho$ $\text{UV} \sigma \Gamma^b \Gamma^a$ ρ^b
 X , $\dot{\Delta}$ $\cdot \Delta \rho \Delta \dot{\Delta} \rho \rho^b$ $\dot{\Delta}$ $\rho \nabla^a \rho q \rho^b$ ρ^a $\dot{\Delta}$ $\dot{\Delta} \rho$ $\dot{\Delta} \rho^b$,
 $\dot{\Delta} \rho q$ $\dot{\Delta} \rho \rho^b$ $\rho \triangleright L \sigma$) $\cdot \Delta^b$, $\dot{\Delta} \rho^a$ $\cdot \Delta \dot{\Delta}$ q $\Delta \rho \cdot \dot{\Delta} \rho^b$
 $\nabla \Gamma^a x$

$\dot{\Delta} \sigma \rho^b$ $\rho \rho^a$ $\triangleright \rho \rho^b$ L^x

$\langle P U^a (L \cdot \Delta \rho^a$, $\triangleright \text{UV}^a \rho q^b$, $b \rho^a$ $\Delta \sigma$ $q \cdot \dot{\Delta} ($
 $\rho \Delta \dot{\Delta} \rho^a$ $\Delta \dot{\Delta} L$ $\dot{\Delta} \rho^a$ ρ $\cdot \dot{\Delta} \dot{\Delta} \rho \sigma \cdot \nabla^b$ ρ $U \cdot V \cdot \Delta^a$,
 $\cdot \nabla \cdot \nabla \sigma^a$ Γ $\Delta \dot{\Delta} \rho^b$ $\Delta \dot{\Delta} L$ $\rho \rho \rho \rho^a$, $\dot{\Delta}$ $U \cdot V \dot{\Delta} \rho$
 $(L \cdot \Delta \sigma^a$ Γ $\cdot \dot{\Delta} \dot{\Delta} \rho (L^a$ $\Delta \Delta \rho$ $\Delta \rho q \dot{\Delta} \rho \cdot \Delta^a$ q $\cdot \dot{\Delta} \dot{\Delta} \rho$
 $\rho \sigma \cdot \dot{\Delta} \sigma \cdot \dot{\Delta} \rho^a$; ρ $L^b \rho \rho^b \cdot \Delta \triangleright \Gamma^a$ $(\rho$ $\dot{\Delta} \sigma \rho^b$ $\dot{\Delta} \rho^b$, Γ
 $\dot{\Delta} \rho \dot{\Delta} \rho \cdot \dot{\Delta}$ $\dot{\Delta}$ $\Gamma \sigma$) $\dot{\Delta} \rho \cdot \dot{\Delta}$ $\Delta \rho$ $\rho \rho \dot{\Delta} \rho \dot{\Delta} \triangleright \Gamma^a \rho \cdot \dot{\Delta}$, ρ
 $\rho \rho^a \cdot \dot{\Delta} \dot{\Delta} \rho^b$ $\dot{\Delta} \rho$ $\dot{\Delta} \rho$ $\dot{\Delta} \sigma \rho^b$ $\rho \rho^a$ $\dot{\Delta} \rho$ $\dot{\Delta} \rho^b$ $\dot{\Delta} \rho^a$
 $\dot{\Delta} \dot{\Delta} \rho \cdot \Delta \cdot \dot{\Delta}^b$ $\rho \triangleright L \sigma$) $\triangleright$ $a \Delta \sigma \dot{\Delta} \rho^a$ Γ $\cdot \Delta$) $b \cdot \dot{\Delta} \cdot \dot{\Delta}$ $b \rho^a$
 $\Delta \rho$ ρ^a $\dot{\Delta}$ $\Delta \rho$ $\cdot \Delta \rho q \dot{\Delta} \rho \cdot \dot{\Delta}^b$, $\dot{\Delta} \rho \rho^b$ $\dot{\Delta} \triangleright \Gamma \dot{\Delta} \rho \cdot \Delta^b$
 $\nabla \Gamma^a x$

[illegible][illegible]

$\bar{L} \rightarrow L \cdot \Delta$ $L \rightarrow \bar{b} \cdot \Delta$ $r \rightarrow e$ $p \rightarrow L \sigma$, $b \rightarrow \Gamma \bar{S} \rightarrow e b$ $\bar{c} \rightarrow \bar{u} \bar{d} u$
 $p \cdot p \rightarrow \Gamma \rightarrow \bar{D} \bar{c} \wedge \bar{u} \bar{L} \bar{d} u$ $\sigma \rightarrow e$ $\Delta \rightarrow \bar{u} \bar{u} \bar{r} \cdot \Delta \sigma \rightarrow e$, $b \rightarrow \bar{c} \wedge \bar{u} \bar{d}$
 $\bar{u} \rightarrow \bar{d} L$ $\Gamma \rightarrow \sigma \bar{c} \cdot \Delta p \Delta d u$ $\Delta \sigma \rightarrow \Gamma \rightarrow \bar{D} \rightarrow p \sigma p \cdot q \rightarrow e$; $\bar{c} \rightarrow p \bar{u} \rightarrow e$

$\sigma \cdot \Delta \alpha \dot{\Delta} \nabla \Gamma \nabla \rho \rho b b \rho \Delta \alpha \cdot \dot{b} \Delta \wedge \leq \sigma_x$

▷ $\rho \nabla L \sigma$) $\dot{\rho} \alpha$ $q q \sigma \Gamma \dot{\Delta} \alpha b$ ρ ($\sigma \Gamma \dot{\Delta} \alpha b$ $\Gamma \cdot q \nabla \alpha$
 $\leq U \rho \alpha$ $\dot{b} \leq$ $\rho \Gamma$ $\dot{\alpha} \sigma \dot{\Delta} \sigma \Gamma \cdot \Delta \sigma \alpha b$, $\nabla \wedge \Gamma$ $\sigma \alpha \Gamma \Gamma \dot{L} b \alpha b$
 $\sigma \alpha \leq$ $\Delta \dot{\alpha} \Pi \Gamma \cdot \Delta \sigma \dot{\alpha} \alpha \cdot \nabla \alpha \Gamma$ $b \alpha \rho \Gamma \cdot \dot{\Delta} \alpha b$ $\Gamma \alpha b$ Γ $\Gamma \alpha \Gamma \Gamma$
 $\dot{b} \leq \cdot \Delta \dot{\Delta} \alpha b$; $\leq \rho U \alpha (\dot{L} \cdot \Delta \dot{\Delta} \alpha \alpha \alpha \Delta \Delta \alpha$ Γ $\Pi \wedge \Gamma b$ $L \alpha \dot{b} \cdot \Delta$
 $\Gamma \cdot \Delta \alpha$ $\dot{b} \leq$ $\cdot \Delta \dot{\Delta} \dot{b} q \cdot \Delta \alpha$ q $b \alpha \cdot \nabla \sigma \Gamma \dot{\Delta} \dot{\Delta} \alpha b$ $b \rho \alpha$ $\dot{\alpha} \sigma \dot{\Delta} \sigma$
 $\Gamma \cdot \Delta \sigma \alpha b$, $\dot{b} \leq$ q $\dot{\Delta} \dot{\Delta} \cdot \Delta \sigma \dot{\Delta} \dot{\Delta} \alpha b$ $b \rho \alpha$ $b \cdot q \Pi \nabla \sigma \alpha q \cdot \Delta \sigma \alpha b$,
 $\cdot \dot{\Delta} \alpha$ $\Delta \alpha \Gamma$ $\Gamma \alpha \Gamma$ **X** $UV \sigma \Gamma \nabla \Gamma \alpha \rho \alpha_x$ $\nabla \Gamma \alpha_x$

$\dot{\alpha} \alpha \alpha \dot{\Delta} \nabla \Gamma \nabla \rho \rho b b \rho \Delta \alpha \cdot \dot{b} \Delta \wedge \leq \sigma_x$

▷ $UV \alpha \Gamma q \nabla \alpha$, ρ $\alpha \alpha \alpha (\dot{L} \cdot \Delta \sigma \dot{\alpha} \alpha \alpha$ $\Gamma \alpha b$ Γ $b \alpha \cdot \nabla \sigma$
 $L \cdot \dot{\alpha}$ $\rho \leq$ $\dot{\Delta} \nabla \Gamma \dot{\Delta} \cdot \Delta \sigma \sigma L b$ $\Delta \Delta \dot{L}$ ρ $\cdot \dot{b} \nabla b$ $\dot{\Delta} \nabla \Gamma \dot{\Delta} \cdot \Delta \sigma \alpha b$;
 $\Delta \rho \alpha$ α $\dot{b}$ $\dot{\Delta} \leq \Gamma \cdot \dot{\Delta} \dot{b}$ $\dot{\Delta} \nabla \sigma \Gamma \cdot \Delta \sigma \alpha b$ Γ $\dot{\Delta} \dot{\Delta} \Gamma \cdot \dot{\Delta} \dot{b}$ ρ
 $\rho \Gamma \rho \rho \rho \dot{\Delta}$ $\alpha \cdot \nabla \alpha \Gamma q \cdot \Delta \sigma \sigma$, $\dot{b} \rho \sigma b$ Γ $\dot{\alpha} (\dot{L} \dot{\Delta} \cdot \dot{\Delta} \dot{b})$ ρ $\rho \Gamma$
 $L \alpha \dot{b} \cdot \Delta \Gamma \cdot \Delta \sigma \sigma$, $\cdot \dot{\Delta} \alpha$ $\Delta \alpha \Gamma$ $\Gamma \alpha \Gamma$ **X** $UV \sigma \Gamma \nabla \Gamma \alpha \rho \alpha_x$
 $\nabla \Gamma \alpha_x$

$\sigma \alpha \dot{\Delta} \cdot \dot{\alpha} \cdot \Gamma \dot{\Delta} \nabla \Gamma \nabla \rho \rho b b \rho \Delta \alpha \cdot \dot{b} \Delta \wedge \leq \sigma_x$

▷ $\rho \nabla L \sigma$), $\dot{\Delta} \dot{\Delta} \alpha$ $q U \alpha \dot{\Delta} \dot{\Delta} \Gamma \alpha$ $\rho \cdot \rho \alpha$ $\dot{b}$ $\wedge$ $\Delta \alpha \Gamma$ $\dot{\alpha} \dot{\Delta} \Gamma \alpha$
 Γ $\leq \dot{\Delta} \Gamma \alpha$ $L \Gamma \Gamma \sigma$) α $\Delta \leq$ $\dot{\Delta} \dot{\Delta} \rho \cdot \Delta \sigma \sigma$, $\dot{b} \leq$ Γ $\Delta \dot{\Delta} \Delta \nabla \Gamma \alpha b$
 Γ $\Delta \Gamma L \alpha \rho \alpha$ $\rho \nabla L \sigma$) $\dot{b} \leq$ Γ $\dot{\Delta} \dot{\Delta} \dot{\Delta} \alpha b$ $\dot{b} \rho q$ $\wedge \dot{L} \Pi \Gamma \cdot \Delta \alpha$;
 $\leq \rho U \alpha (\dot{L} \cdot \Delta \dot{\Delta} \alpha \alpha \alpha$, ρ $\alpha \alpha \alpha (\dot{L} \cdot \Delta \sigma \dot{\alpha} \alpha \alpha$, $\Delta \Delta$ $\dot{\Delta} \nabla \sigma \Gamma \cdot \Delta \alpha$
 ρ $\dot{\Delta} \dot{\Delta} \dot{\Delta} \alpha b$, Γ $\wedge \sigma \Delta \Pi \Gamma \dot{\Delta} \alpha b$, $\dot{L} \dot{\Delta}$ $\cdot \dot{\Delta} \alpha$ $\nabla \dot{\Delta}$ $\wedge \sigma \Gamma \alpha$;
 $\dot{\Delta} \wedge$ $\Gamma \alpha \cdot \dot{\Delta}$ $\wedge$ $\dot{\alpha} \dot{\Delta} \Gamma \alpha$ $\Delta \Delta \dot{L}$ $L \alpha \dot{b} \cdot \Delta \Gamma \cdot \Delta \sigma \alpha b$ $\dot{b} \leq$ $\rho \Gamma$

ᐱ ᐱᓐ ᐱᓴᓐ ᓴᓴ ᐱ ᓴᓴᐱᓪᐅᐱᓐᓴ ᓐᓴᐅᐱᓐᓴ ᐅᐅ
 ᐱᓴ ᓴᐅᓐᓴᓐ ᓴᓴᐱᓪᐅᐱᓐ ᐅᓐᓴᐱᓐᓴ, ᐅᐅ ᐱᓴᓐᓴᓐ
 ᓴᓴ ᐅᐅᐱᓐᓴᐱᓐᓴ ᐅᐅᐱᓐᓴ, ᐱᐅ ᓴᓴᓴᓐ
 ᐱᓐᓴ ᐱᓴᓴᓐ ᓴᓴ ᐅᓐᓴᓐ ᐅᓐᓴᓐᓴ ᐅᓐᓴᓐᓴ:
 ᐅᐅ ᐅᓐᓴᓐ ᓴᓴ ᐅᓐᓴᓐ ᐅᓐᓴᓐ ᐅᓐᓴᓐ ᐅᓐᓴᓐ
 ᐅᓐᓴᓐ

ᓐᓴ ᐱ ᓴᓴᓐ ᓴᓴᓐᓴᓐ

ᐱᓴᓐ ᐅᓐᓴᓐ ᓴᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐ,
 ᓴᓴᓴᓐᓴᓐ ᓴᓴ ᓴᓴ ᐅᓐᓴᓐᓴᓐ, ᓴᓴ ᐱᓴᓐᓴᓐᓴᓐᓴᓐ;
 ᐅ ᐅᓐᓴᓐᓴᓐᓴᓐ ᓴᓴ ᐅᓐᓴᓐᓴᓐᓴᓐᓴᓐ;
 ᐅᓐᓴᓐᓴᓐᓴᓐ ᐅᓐᓴ ᓴᓴ ᐅᓐᓴᓐᓴᓐᓴᓐᓴᓐ ᐅᓐᓴᓐ,
 ᓴᓴᓐᓴᓐᓴᓐ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐ ᓴᓴ ᐅᓐᓴᓐᓴᓐᓴᓐᓴᓐ,
 ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐ ᓴᓴᓐᓴᓐᓴᓐᓴᓐᓴᓐ, ᓴᓴᓐ
 ᓴᓴ ᐅᓐᓴᓐᓴᓐᓴᓐᓴᓐ ᓴᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐᓴᓐ,
 ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐᓴᓐ ᓴᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐᓴᓐ,
 ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐᓴᓐ ᓴᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐᓴᓐ
 ᓴᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐᓴᓐ ᓴᓴᓐᓴᓐᓴᓐᓴᓐᓴᓐ

ᓐᓴ ᐱᓴᓐᓴᓐᓴᓐ ᓴᓴᓐᓴᓐᓴᓐ

ᐅ ᓴᓴᓐᓴᓐᓴᓐ, ᓴᓴᓐᓴᓐ ᐅᓐᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐ
 ᓴᓴ ᓴᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐ; ᐅᓐᓴᓐᓴᓐ ᓴᓴᓐᓴᓐᓴᓐ
 ᐅᐅ ᐅᓐᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐ, ᐱᓴᓐ ᓴᓴᓐᓴᓐᓴᓐ
 ᓴᓴᓐ, ᓴᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐ
 ᓴᓴᓐᓴᓐᓴᓐᓴᓐ ᓴᓴ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐ, ᓴᓴ ᐅᓐᓴ
 ᓴᓴᓐᓴᓐᓴᓐ ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐ, ᓴᓴ ᓴᓴᓐᓴᓐᓴᓐᓴᓐ ᓴᓴ

$\cdot \Delta \Gamma \wedge \alpha \cap \eta \Gamma \alpha \rho \iota$ $\Gamma \nabla \beta \Gamma \delta \alpha \beta$, $\dot{\iota} \nabla$ (ζ Γ $\dot{\zeta} > \zeta \beta \dot{\iota} \alpha \beta$
 $\Gamma \nabla \beta \Gamma \beta$ $\dot{\iota} \nabla$ $\sigma > \cdot \Delta \sigma$ $\Delta \zeta \cdot \dot{\iota} \alpha \text{UL}$ Γ $\Delta \cap (\dot{\iota} \alpha \beta$ σ $\Gamma \Gamma \rho \Gamma \cdot \Delta$
 $\dot{\Delta} \Gamma \wedge \dot{\zeta} \cdot \Delta \sigma \dot{\alpha} \alpha$, $\cdot \dot{\Delta} \alpha$ $\triangleright$ $\Gamma \alpha \Delta \dot{\zeta} \cdot \nabla \wedge \Gamma \cdot \Delta \alpha$ $\triangleright \alpha \Gamma$ $\dot{\Delta} \dot{\Delta} \circ$
 $\dot{\iota}$ ρ $\sigma > \iota$, $\dot{\iota} \nabla$ $\dot{\iota}$ ρ $\alpha \Delta \beta \cdot \dot{\Delta} \dot{\iota} \beta \sigma \cdot \Delta \iota$, $\dot{\iota} \nabla$ $\Gamma \alpha \cdot \dot{\Delta}$ $\dot{\iota}$
 ρ $\dot{\Delta} \Gamma \wedge \dot{\zeta} \iota$ $\sigma \alpha \cdot \Delta \alpha \epsilon$ $\triangleright \alpha \Gamma$, $\rho \cdot \rho \iota$ $\Gamma \iota \iota$ **X** $\text{UV} \sigma \Gamma \zeta \Gamma \alpha \iota_x$
 $\nabla \Gamma \alpha_x$

$\Delta \iota \zeta$ $\dot{\Delta} \nabla \Gamma \nabla \rho \dot{\zeta} \beta \beta_x$

$\dot{\iota} \nabla \text{L} \cdot \Delta$ $\text{L} \zeta \dot{\iota} \alpha \cdot \Delta \Gamma \zeta \alpha$ $\rho \nabla \text{L} \sigma$), $\dot{\zeta} \nabla \dot{\zeta} \delta$ $\rho \cdot \rho \iota$ $\Gamma \iota \iota$ **X**
 $\dot{\iota}$ ρ $\triangleright \alpha \Gamma$ $\dot{\zeta} \delta \Gamma$) $\zeta \alpha$ $\sigma > \cdot \Delta \alpha$, $\dot{\iota} \nabla$ $\dot{\iota}$ ρ $\dot{\zeta} \beta \delta \alpha \dot{\iota} \cdot \Delta \dot{\iota} \alpha \iota$
 $\dot{\iota} \rho \eta$ $\wedge \dot{\iota} \cap \Gamma \cdot \Delta$ $\Delta \zeta \cdot \dot{\iota} \alpha \text{UL}$; $\dot{\Delta} \dot{\iota} \nabla \sigma \Gamma \cdot \Delta \sigma \alpha \beta$ ρ $\alpha \alpha$) ($-$
 $\dot{\iota} \cdot \Delta \sigma \dot{\alpha} \alpha$, ρ $\cdot \Delta \Gamma \cdot \Delta \dot{\iota} \zeta \alpha \beta$ ρ $\zeta \cdot \nabla \alpha \Gamma \eta \cdot \Delta \alpha$, $\rho \epsilon$ $\dot{\Delta}$) α $\Gamma \alpha$
 $\alpha \alpha \epsilon$ ($\nabla \alpha$ ($\Gamma \cdot \Delta \alpha \alpha$ $\Delta \dot{\Delta} \dot{\iota}$ $\sigma \alpha \epsilon$ $\Delta \alpha \alpha$ ($\Gamma \cdot \Delta \sigma \dot{\alpha} \alpha \beta$, Γ ι
 $\dot{\iota} \nabla$ $\dot{\iota} \rho \eta$ ρ $\cdot \Delta$) $\dot{\iota} \alpha \cdot \Delta \dot{\iota} \zeta \alpha \beta$ Γ $\Gamma \alpha$ $\sigma \dot{\zeta} \cdot \Delta \rho$) $\dot{\iota} \zeta \alpha \beta$, $\cdot \dot{\Delta} \alpha$ $\triangleright \alpha \Gamma$
 $\Gamma \iota \iota$ **X** $\text{UV} \sigma \Gamma \zeta \Gamma \alpha \iota$, $\dot{\iota}$ $\cdot \Delta \Gamma \wedge \dot{\iota} \cap \Gamma \Gamma \beta$ $\dot{\iota} \nabla$ $\cap \nabla \alpha \Gamma \eta \Gamma \beta$
 $\dot{\rho} \alpha$ $\dot{\iota} \nabla$ $\dot{\zeta} \sigma \Gamma \iota$ $\dot{\Delta} \dot{\iota} \beta$, $\dot{\iota} \rho \eta$ $\dot{\zeta} \nabla \dot{\zeta} \delta$ $\rho \nabla \text{L} \sigma$) $\cdot \Delta \zeta \alpha$, $\dot{\Delta} \rho \alpha \beta$
 $\cdot \Delta \dot{\iota}$ η $\Delta \zeta \cdot \dot{\iota} \alpha \Gamma \alpha \beta \beta_x$ $\nabla \Gamma \alpha_x$

σL $\dot{\Delta} \nabla \Gamma \nabla \rho \dot{\zeta} \beta \beta$ $\rho \Delta \zeta \cdot \dot{\iota}$ $\Delta \iota \zeta_x$

$\dot{\iota} \nabla \text{L} \cdot \Delta$ $\text{L} \zeta \dot{\iota} \alpha \cdot \Delta \Gamma \zeta \alpha$ $\cdot \nabla \dot{\zeta} \Gamma \Gamma \delta \zeta \alpha$, $\dot{\iota}$ ρ $\Gamma \sigma \cdot \nabla \zeta \alpha$
 $\dot{\zeta} \nabla \dot{\zeta} \delta \iota$ $\rho \cdot \rho \iota$ Γ $\sigma > \iota$ σ $\text{L} \Gamma \Delta \dot{\zeta} \cdot \nabla \wedge \Gamma \cdot \Delta \sigma \dot{\alpha} \alpha$ $\triangleright \alpha \Gamma$,
 $\dot{\iota} \nabla$ Γ $\dot{\Delta} \Gamma \wedge \dot{\zeta} \iota$ Γ $\triangleright \alpha \Gamma$ $\cdot \dot{\iota} \zeta \cdot \eta \alpha \dot{\zeta} \delta \Gamma \dot{\iota} \zeta \alpha \beta$; $< \rho \text{U} \alpha \epsilon$ ($-$
 $\dot{\iota} \cdot \Delta \dot{\zeta} \alpha \alpha$ Γ $\Delta \dot{\zeta} \cdot \nabla \wedge \alpha \dot{\iota} \alpha \beta$ $\dot{\zeta} \alpha \eta \alpha \Gamma \eta \cdot \Delta \alpha$ $\dot{\iota} \nabla$ $\text{L} \Gamma \Delta \dot{\zeta} \cdot$
 $\cdot \nabla \wedge \Gamma \cdot \Delta \alpha$, $\Gamma \zeta \beta$ Γ $< \Gamma \dot{\zeta} \cdot \Delta \sigma \dot{\alpha} \alpha \beta$ $\wedge \dot{\iota} \cap \Gamma \cdot \Delta \sigma \alpha \beta$ $\dot{\iota} \nabla$
 $\text{U} \cdot \nabla \cdot \Delta \sigma \alpha \beta$, $\cdot \dot{\Delta} \alpha$ $\triangleright$ $\Gamma \alpha \Delta \dot{\zeta} \cdot \nabla \wedge \Gamma \cdot \Delta \alpha$ $\triangleright \alpha \Gamma$ $\rho \cdot \rho \iota$ $\Gamma \iota \iota$
X $\text{UV} \sigma \Gamma \zeta \Gamma \alpha \iota_x$ $\nabla \Gamma \alpha_x$

$\rho \propto \nabla \cdot \Delta b \Gamma_d e^{b_x}$

$$\Gamma a_x \quad \nabla \Gamma a_x$$
 $\langle \sigma_{r^L} \rangle = L^{-C_D} \triangleright P S b) L_x$
$$\triangleright^a \Gamma \text{ rly } X \text{ UV} \sigma \Gamma \triangleright \Gamma^a \text{ l}_x \quad \nabla \Gamma^a \text{ l}_x$$
$$\dot{b} \cdot p \cdot \Delta^a(L \cdot \dot{\Delta} b \sigma \cdot \Delta^b \quad 2 \cdot \nabla^a \dot{c} d \tau^b \triangleright s p \sigma p \cdot q \quad \Gamma_{\Delta},$$

L⁹⁶ 25 P P S b_bx

$\rho \cdot \Delta \dot{\gamma} / \dot{\gamma} b \sigma \cdot \Delta b \quad \rho \cdot \rho^y \quad r^y \quad X \quad \rho \cdot \Delta^a C \dot{L} q^b \quad \nabla^a r^c ; \quad \Gamma$

$\rho^c \dot{A} \rightarrow \Gamma \dot{A} \cdot \Delta a$. $\Delta p \dot{C} \wedge b$ $\rho \dot{A} \dot{r} \sigma^{ab}$ $\Delta \rho^o$ $\Delta <^c c_b$ $\dot{b} <$
 $\dot{A} \cdot \dot{a} \cdot \dot{r} \cdot \dot{q} \cdot \Delta \sigma \sigma \cdot \dot{A} b$, $\dot{r} \dot{h}^i$ **X** $\cap \wedge a \cdot \nabla$ ρ $\rho \dot{r}$ $\rho q \dot{b}$
 $\dot{A} \dot{r} \sigma \cdot \Delta b$; $< \rho U^a (L \cdot \Delta \dot{S} \dot{a}^a$ $\dot{r}$ $\Delta \dot{S}$ $\dot{L} L^a \dot{C} \cdot \Delta \Delta \dot{d} \dot{b}^{ab}$
 $\rho \vee \dot{S} \dot{d}$ $\dot{A} \dot{L} \dot{d} \cdot \Delta \dot{b}^{ab}$ $\triangleright$ $\rho \rho \dot{a} \dot{A} \dot{L} \dot{q} \cdot \Delta \sigma \cdot \dot{A}^{ab}$, $\dot{r}$ $\Delta \dot{S} \Delta$ -
 $\dot{d} \dot{b}^{ab}$ $\dot{L} \dot{b}$ $<^c a_b$ $\rho \dot{A} \dot{b} \rightarrow \Gamma \nabla \cdot \Delta b \Gamma^b$ q $\Gamma \cdot \dot{a} <^a (L^a$, $\cdot \dot{A}^a$
 $\triangleright^a \dot{r}$ $\dot{r} \dot{h}^i$ **X** $UV \sigma \Gamma \rightarrow \Gamma^a b_x$ $\nabla \Gamma^a_x$

$b \rho a$ $<^c \sigma \dot{r} \cdot \dot{A} \dot{b}$ $\triangleright$ $\rho \dot{S} b \dot{r} \Gamma \cdot \dot{A}^a_x$

$\triangleright \dot{L} \dot{b} L \cdot \Delta$ $L \dot{b} \cdot \Delta \dot{r} \dot{b}^a$ $\rho \dot{r} L \sigma$), $\dot{r}^a$ $\dot{b}$ $\dot{L} L \cdot \Delta \wedge a \cdot \dot{C}$
 $\Delta \rho^o$ $\dot{b}$ $\triangleright \dot{a} < L \cdot \dot{C}$ $\dot{r}$ $\vee \dot{S} \cdot b \cap \sigma^b$ $\triangleright^c \dot{A} \dot{b} \rightarrow \Gamma \dot{A} \cdot \Delta \sigma \cdot \dot{A}$
 $\dot{b} <$ $\triangleright$ $\cdot \Delta \dot{b} \dot{b} \cdot \Delta \sigma \cdot \dot{A}$, $\Delta \Delta \dot{L}$ $q \dot{r}$ $\dot{L} L^a \dot{C} \cdot \nabla^a \dot{C} \cdot b \cap \sigma^b$
 $\cdot \Delta \dot{b} \cdot \Delta^{ab}$ $\rho \cdot \rho^i$ **X** $UV \sigma \Gamma \rightarrow \Gamma^a b$; $< \rho U^a (L \cdot \Delta \dot{S} \dot{a}^a$
 $\dot{r} \cdot \nabla^a \dot{r} \cdot \dot{q} \cdot \Delta^a$ $\dot{r}$ $\Delta \dot{S}$ $\rho \rho a \cdot \dot{A} < L^a \rho \cdot \dot{C}$ $\dot{r} \cdot \nabla^a \dot{C} \dot{d} \dot{r} \cdot \dot{A} \dot{b}$ ρ
 $\wedge \sigma$ $\Delta \sigma \sigma L^b$ $b \rho a$ $\Gamma \dot{a}$ $\dot{b} <$ $L \sigma \cdot \Delta$ $\wedge \dot{L} \cap \dot{r} \cdot \Delta \sigma^{ab}$,
 $\dot{r}$ $\triangleright \cap \dot{C} \dot{L}^{ab}$ $\Delta \sigma^o$ $q U^a \dot{C} \cdot b \rho a$ $\dot{r} \dot{r} \dot{r} \cdot \Delta a^a$, $\dot{b}$ ρ $\cdot \dot{A} \cdot \nabla \dot{S}$ -
 $(L \cdot \Delta \cdot \dot{C}$ $\Delta \rho^o$ $\cdot \dot{b} \dot{b}^b$ $\dot{L} \dot{b} \rho \Delta \cdot \dot{b}$, $\cdot \dot{A}^a$ $\triangleright^a \dot{r}$ $\dot{r} \dot{h}^i$ **X**
 $UV \sigma \Gamma \rightarrow \Gamma^a b_x$ $\nabla \Gamma^a_x$

Δσσ·Δ^b_x — UV^αρ^αγ^α, ζ·∇σΓ^αδ^α, β_γ)(α
σ^αUΔ^ασ^α ρ β_α·∇^α(Ἰ^{αβ} ΔΔ βρ·q·Δ^α_x

Δ^γΓ∇·ΔρἸ_x — ḡ·Δ^α ρ ḡ Γ^γ·∇σḸ^γ ρ^γρσσ Δ
·Δρ·Δ^γḸ, ḡ·Δ^α ρ ḡ Γ^γ·∇σḸ^γ ρ^γρσσ Δ·ΔΠ^αḸβ^α,
ḡ·Δ^α β_γ Δ <Γ^γβ^α, β_γ Δ <Γ^γqΔ·q^α, β_γ Δ
Λ^γρ^αḸ, β_γ Δ LL^αρ^αρ^αḸ^α, ḡ·Δ^α β_γ Γσ^β q^α
UV^α(α^β_x

Δσσ·Δ^b_x — UV^αρ^αγ^α, ζ·∇σΓ^αδ^α, Δ^γΛ^α
(ζ βρ_α ΔΔ ρ βρ·q·Δ^α σ^αUΔ^ασ^α; Γ γ ∇^γ
α^α)(Ἰ·Δσ^ασ^α_x

¶ Γ (∞ q Δρ)·Δ^{αβ} Δ^γΓΔ^α ρρΔρἸ·q ρ ζ·∇^αδ^α_x

Δ^γΓΔ^γ_x

Ḹ^γḸ·Δ L^{αβ}·Δ^γβ_α β_γ βρ^α q^αḸσ)·Δ^α, σ
ρρ^αΔἸ^ασ^α ρ Λσ Δρ)·Δ^α ΔUΔ·Δ^α qρΔρἸ·Δ·Δ^α
ΔΔ^α ρ ΠV^α(L·Δ^α·Δ^α β_γ ρ ·Δ^α·∇^α(L·Δ^α·Δ^α, β_γ ρ
·qρ^αL·Δ^α·Δ^α ∇^α ·Δ^α·Δ^α(L^α ρ αΔ^αβ^α ρ Lσ)·Δ βρ^α·
·∇^α(J·Δσ^ασ^α: ρ Δ^αβ^ασ^α·Δ^ασ^α ρ α^α)(Ἰ·Δσ^ασ^α ρ
Δ^α·Δ^α β_γ ΠV^α(L·Δ^α·Δ^α ΔUΔ ρ <Γ^αβ^α Δ^αβ^α)^α,
σ ρρΔρἸ·qΓ^ασ^α UVσΓ^αβ^α, βρ^α Γσ^β ∇^ασ^α(α^β,
∇ρ^αβ^α, β_γ ∇^αρ^αβ^α, J^αβ^α ρ α^α·Δ^α·Δ^α(α^β ρ ρU^α·Δ^α·
·Δσσ β_γ ρ ρ^α·Δ^α·∇^α(Δ^α·Δσσ, β_γ ρ α^α(ρ^αq^α(α^β
q Δ^α β^α·∇σḸ^α ρ^α ΔσσL^α Δσσ q^α·∇^α(Δ^ασ^α·Δ^α
·Δ^αΠ^α·Δσ^ασ^α, Λ^ασ^α·Δσ^ασ^α, β_γ Lσ)·Δ^αΠ^α·Δσ^ασ^α:

Ἰ·Δσ^α ῖ ὤ·∇^αῖ9·Δ [Δ(Λ_αΛ^α σ Γσ·∇·Δσ^α,
 ῖ₄ σ <ΡΠ_αΛ9·Δσ^α, ῖ₄] ῖ Λ^α(Λ^α Δ_σ·σ^α
 Δ_γΓΔ_γ·Δσ^α, ∇_γ Δ_αΓ∇(·Δσ^α ῖ_α Γσ)·Δ
 ΡΠΔΡ_Ἰ·Δ^α; Ρ α^α)(Ἰ·Δσ^α Ἰ_γ ῖ ΛσU∇_γ-
 ῖ·Δ·ῖ ῖΡ_α Ρ^α Δ_γΓΔ_γ·Δσ^α Γ_γU ΔΡ_α Δ_α Δ_Ἰ
 U·V·Δσ^α, ῖ₄ V_γΔ(Δ)·Δσ^α ῖ₄ ἸΡ(Δ)·Δσ^α
 ῖ Δ^α_Ἰ: <ΡU^α(^α, ῖΡ_α ΔΡ_α ·Δ_γ·Δ^α(^α Ρ
 Λσ Δ_γσῖ_γ·Δσ^α, ῖ ἸΛ·Δ U·V^α(Ἰ·Δ_γ Ρ Λσ
 ΔΡ)·Δσ^α, ῖ₄ ῖ Ἀ_ἸΠ_γ·Δ_γ V_γΔ(Δ)·Δσ^α ῖ₄
 Λσ)·Δ ἸΡ(Δ)·Δσ^α_x Ρ α^α)(Λ·Δσ^α ῖ₄ ῖ
 Ἀ_ἸΡΔ·ῖ ῖ₄ ῖ Δ(Λ·Δ·ῖ ῖΡ_α ΡΠΔΡ_Ἰ·Δ_Ἰ, ῖ₄
 ΔΡ_Ἰ·Δ_Ἰ, ῖ₄ UV^αῖ_γ·Δ_γ ῖ_γ·V_γσ_Ἰ·Δ_γ X^α; Δ·Δ_γ-
_γ Γ_γ (^α Ρ <Γ(ῖ_α Δ_Ἰ)_α σ ΡΠΔΡ_Ἰ·9Γ^α; ·Δ^α
 Ρ ΠVσΓ_γΓ_α ῖ Λσ)·Δ ῖ₄ ῖ Γ_σ ΠVσΓ_γΔ_α:
 <ΡU^α(Ἰ·Δ_Ἰ (^α ῖΡ_α ·Δ_γ)_Ἰ Ρ ΠV^αῖ_γ, ῖ₄ ῖΡ_α
 Δσ^α ῖ ΠV^αῖ_γ·Δ_γ, ·ῖ_γ ῖ Π<Δσ9σ^α, ῖ ΡΛ_γσ^α
 Λ_γΔ_γ·∇Λ_γ·Δσ^α, ῖ₄ ῖ ῖ_α·∇^α(Γσ^α ·ῖ_γ Ρ^α
 Δ_γΓΔ_γ·Δσ^α ῖ₄ Γ_σΔ_ἸΠ_γ·Δσ^α_x ▷ Ρ_γΡ_γῖ·Δ
 ·∇_γΓ_γΔ_α, Γσ_Ἰ ῖΡ_α Ρ_γΔ_γΓ∇·ΔΡ_Ἰ·Δ_Ἰ ῖ₄
 Δ_γΓ∇·ΔΡ_Ἰ·Δ_Ἰ ὤ·∇^αῖ9·Δ ·Δ)ῖ9·Δσ^α, ῖΛ_γΔ ∇_γ
 Ἀ_ἸΠ_γ·Δ_γ ῖ₄ ∇_γ ΡΡ_σΔ_Ἰ9·Δ_γ ῖ Δ_γ<^αΠσ·∇·Δ_γ Ρ
 Ἀ_ἸΠ_γ·Δ ΔΡ)·Δσ^α, ·ῖ_γ (^α ῖ Ἰ(ΔΡ·Δ_γ Ρ Λσ
 Ἰ_γ9Γ^α: ῖ₄ ῖΡ_α Ρ^α Δσ^αΛ_Ἰ Γσ_Ἰ ῖ Ρ_γΡ_γῖ·Δ
 ὤ·∇^αῖ9·Δσ^α; Δ·Δ_γΓ_γ (^α ΔΔ_Ἰ ῖ Δ_γ·Δ_γ; Ρ
 σΡU∇·Δ_γ ῖ₄ Δ_γ·ῖ·Δ_γU^α(Ἰ·Δσ^α ῖ Δ^α(Ἰ·Δ_γ ῖ₄

Ἰ^αΓΔσΓ^α Δ·Ρ^αἡ, Ἰ^αΔ^ο (ἡ Ἰ^α·V^αΓσ^α·ἡ ἰ < Ἰ^αΓ-
 ἰ^αῃ, ἰ Ἰ^αῃ^α (ἡ Ἰ^αΡ^α Ἀ^αΓ^α·Δσσ^α St. John iii. 16.

Λ^αΓ^α(^αῃ Ἰ^α Ἰ Δ^αΡ^α)^α Ἰ^ασ^αῃ <^α_x

U·V^αἸ^αḃ^α ΔΔ Δ^αΡ^α)·Δ^α, Ἰ^α Ἰ^αΛU^αḃ^αḃ^α ḃ^αΡ^α Δσ-
 σ^α·Δ^α ἰ Δ^αἸ^αΛ^α·Ἰ^αḃ^α, Ἰ^αΔ^ο ἡ ἰ^αῃ X Ρ Ἀ Δ^αῃ^α ΔΔ^αἸ^α
 Δ^αΡ^αḃ^α ἰ Ἀ^αἸ^αἸ^α Γ^αΓΔ^α·V^αΛ^αΓ^ασ^α_x 1 Tim. i. 15.

Λ^αΓ^α(^αῃ Ἰ^α Ἰ Δ^αΡ^α)^α Ἰ^ασ^αῃ Ἰ^α_x

Ρ^αἡ Δ^α·Δ^αḃ^α Γ^αΓΔ^αΓ^αἡ·ἡ ῃ^α Ἰ^αῃ·Ἰ^αḃ^α ḃ^αΔ(Ἰ^αἡ-
 ·Δσσ ἡ ḃ^α(Ἰ^α·Δσ^αḃ^α V^αḃ^αḃ^α ·V^αḃ^αΓ^αḃ^α, ἰ^αῃ X
 Ἰ^αΔ^ο ·ἡῃ·Ἰ^αΓ^α; ·Ἰ^α (ἡ U<Δ^αἸ^αḃ^α(Ἰ^α·Δσ^αḃ^α Ρ
 Λ^αΓΔ^α·V^αΛ^α·Δσ^αḃ^α Δ^αῃ_x 1 St. John ii. 1.

¶ Γ (ἡ Ἰ^αΓ^α·Δ^αἸ ἡ Δ^αΡ^α)^α,

Δ^αΛ^αΛ^αῃ^α ΡUΔ^α·Ἰ^α_x

ḃ^α·ἡ·Δ^αΓΔ^α·V^α·Δ^α_x — σ^αḃ^α Δ^αΛ^αΛ^α·Ἰ^αḃ^α ἡ Ἰ^αΔ^ο
 UV^αῃ^α_x

Ἰ^αΓ^α·Δ^αἸ^α_x — Δ^αV ἡ Ἰ^αῃ·V^αἸ^αḃ^α Ἰ^αΔ^ο UV-
 σ^αΓ^αḃ^α Ρ^αἸ^ασ^α)_x

ḃ^α·ἡ·Δ^αΓΔ^α·V^α·Δ^α_x — Δσ^αΓ^αḃ^α Ἰ^α ḃ^α·ἡ·ḃ^αḃ^α ἡ
 ΔΔ ἰ Δ^αΓ^αḃ^α·Δ^αΡ^α<^α_x

¶ Γ (ἡ Ἰ^αΓ^α·Δ^αἸ Ρ Δ^αḃ^αḃ^α<·Δ^αḃ^α UV^αῃ^α Δ Δ^ασ^α·Δ^αḃ^ασ^α,
 (Δ^αΡ^α) (ἡ,

Ἰ^αΛ^α Δσ^αΓ^αḃ^α, ḃ^α·ἡ·ḃ^αḃ^α, Ἰ^α ΔΔ^ο ἰ Δ^αΓ^αἡ-
 ḃ^αḃ^α<^α, Ἰ^αḃ^α Ἰ^α Γ^αU ἰ ḃ^αḃ^αΔ^ασ^αḃ^α, Δ UV^αῃ^αḃ^α,

9P·C·∇αC·bΠσb P·P₁ P₂ X D^c Δ^cΔ^cΔ^c·Δα UVσ-
 Γ^cΓ^cα₁ : Δ^cΔ^c·Δα Δ^cΔ^c bΛd^cbq·Δ ἸαἸσ-
 ςα^c·Δ Δ^cΔ^c b P <P^cUα(Ἰ·Δ^cΓ^cα₁, b₁·∇αΠαα₁
 ΛΓΔς·∇Λ^c·Δσσ ΔΔἸ ΔPαα Δα^c; Δ^cΔ^c Δ σ>-
 ·Δσαα b Δα^c <Δ^cΔ^c σ>·Δσσ, b₁ D^c Δ^cΔ^cΔ^c·Δα
 b Δα^c b^cP(Ἰ·Δ^cΓ^cα₁_x

Δ^cΛα^cb·Δ Pςb₁ b₁ P σ·C^cΔ^cΔ^cα₁_x

·Δα Δα^c Δ^cΔ^c Δ^cΔ^c P·P₁ P₂ X UVσΓ^cΓ^cα₁;
 Δ^cΔ^c <σἸ b P·C·∇αC·bΠσb D^c Δ^cΔ^cΔ^c·Δα Γς P
 Δ^cΔ^cΔ^c·Δ^c bPα D^c Δ^cΔ^cΔ^cΔ^cΔ^c, b₁ P ·Δ^cΔ^cΔ^cΔ^c b
 Δ^cΛα^cb₁ ΔΔἸ P^cPςΔαα P ·Δ^c·∇ς(Ἰ·Δ^cΓ^cα₁ ΔΔἸ
 P (σ^cΔ^cα₁; ΔΔἸ ·Δα ∇^cΔ^c, Γ ΔΔἸ σα·Δα^c b₁
 P Δς Δ^cΛα^cb₁α₁ b₁ P ·Δ^cΠVα^cP^cΔα₁ P^c·C·∇α-
 CΔ^c·Δσαα_x

·Δ^c Δ^cΔ^cΔ^cΔ^cΔ^c b₁ P σ·C^cΔ^cΔ^cα₁_x

·Δα Δα^c P₁ P₂ X UVσΓ^cΓ^cα₁; Ἰ^c b P Δς
 ·Δ^c·Δα(Ἰα₁, Δ^cΔ^c <σ^cΔ^c ΔἸ^c P^cPςΔαα b P Λ
 Δα^cΔ^c Ἰ^c ΔΔ ΔΛ, Δ^cΔ^c Pς·∇·Δσαα, Ἰ^c 9P
 Δαα, P ΔςΔ^cΔ^c Ἰ^c Δ^cΔ^cU·Δ ΔUσσἸ, P
 >σΔ^cΔ^cΔ^c Δσ Δ^cΔ^cΔ^cΔ^c, P P^cΔ^cΔ^cΔ^cΔ^c, b₁ P
 P^cΔ^cΔ^cΔ^c bPα U·V·Δσαα; P Γ^cΔ^c Δ^cΔ^cΔ^c ΔςP-
 ·C·Δσσ, b₁ ΔαP^cU∇·Δσσ Pςα^c·Δ^c·Δσσαα P
 bP^cΔ^cΔ^c bPα ∇αb^cΔ^cΔ^cΔ^c Δσσ·Δα Γ·Δ^cΔ^cΔ^cΔ^cΔ^c;

ἰ ρ Δαρ·Δσδ^ἰεῖς ΠΑΡΡ·Δσ^αεῖς ἰ^ῖ·Δ^ῖοε(Δ)·Δσ^αεῖς
 ΔΔἸ·ἰ^ῖεῖς·Δ^ἰγ·Δσ^αεῖς ἰ^ῖ·ἰ^ῖεῖς ρ ΡγσΓσ^ῖεῖς ἰ^ῖ
 ρ·ρ^ῖ ρ^ῖ X_x

ἸσΠ·Δδ^αΠ·Δ_αx

ῖ^ῖ <ἰσδ ΡΖΛσ)·Δ^ῖε, <ἰσγ ΠVαρ^ῖε;
 ∇(<ἰσδ^ῖ·Δ^ῖε, τ^ῖ·ἰΠ^ῖ - Vσδ^ῖε (ῖ_x Δ^ἰ> ΔΔ^ο
 ἰ^ῖ·V^ῖε(Ἰ^ῖεῖς ∇Α^ῖ ρ^ῖ·ἰ·∇^ῖεἰδ^ῖε^ῖ·∇^ῖε^ῖΓ^ῖε^ῖ, Γ ἰ
 ἰ^ῖ ∇σ U·V^ῖε(Ἰ^ῖεῖς ∇Α^ῖ ρ^ῖ·ἰ·∇^ῖεἰδ^ῖε^ῖ·∇^ῖ·ρ^ῖΓ^ῖε^ῖ,
 ἰ^ῖ <σ^ῖε ΔἸ^ῖ, ἰ·Δ^ῖε β^ῖεγ <ἰ^ῖ Δ^ἰUεἰδ^ῖε^ῖρ^ῖx

¶ ρ ρσ β^ῖεUP^ῖ σ^ῖδ(Δ^ῖ Δ^ῖ, (Δ^ῖε^ῖ·Δ^ῖε,

Γ (ῖ Δ^ῖο ∇αρ^ῖεῖς ἰ^ῖ ρ^ῖ ∇αρ^ῖεῖς ἰ^ῖ β^ῖε Δ^ῖο
 ρ^ῖρ^ῖσ^ῖεῖς β (σ^ῖ·Δ^ἰε, σ^ῖ·Δ^ῖε^ῖ ἰ^ῖ σ Ἰ^ῖ·∇εἰΓ^ῖε
 ἰ^ῖ σ Γ·ἰ)Γ^ῖε ΔΔ^ο γ^ῖ Α^ῖσ^ῖεἰδ^ῖε^ῖ ρ^ῖ Δ^ῖσ^ῖεἰδ^ῖε^ῖ,
 Ἰ^ῖ ρ Ἰ^ῖ·∇Γσ^ῖεῖς, ρ Δ^ῖε^ῖεῖς (ῖ, <σ^ῖε^ῖ,
 <σ^ῖε^ῖ, <σ^ῖε^ῖ, UVαρ^ῖεῖς Ἰ^ῖ·Δ ΡΖΛσ)·Δ^ῖε,
 ρ^ῖρ^ῖσ^ῖεῖς ἰ^ῖ Δ^ῖεῖς Ἰ^ῖ·ρ^ῖε ΔΔ^ο ρ Α^ῖσ^ῖεἰδ^ῖε^ῖ,
 ρ Α^ῖσ^ῖεἰδ^ῖε^ῖ ἰ Δ UVαρ^ῖεῖς, Ἰ^ῖ·Δ Δ^ῖε^ῖ·
 ε^ῖε^ῖ ∇Γ^ῖε^ῖx

¶ Γ (ῖ Δ^ἰΓ·Δ^ῖε ρ·Δ^ἰ·Δ^ῖε^ῖ·β^ῖε^ῖ ΔΔἸ UVαρ^ῖε^ῖ Δ·Δ^ῖε^ῖ·Δ^ἰ·
 β^ῖε^ῖ, (Δ^ῖε ΔΔ Δ^ἰΓ·Δ^ἰ·Δσσ Δ^ῖ Δ^ῖσ^ῖεἰδ^ῖε^ῖ·Δ^ἰεῖς β^ῖε Δσ^ο ἰ Α
 ἰ^ῖ·β^ῖε^ῖ ρ^ῖε Δ σ^ῖ·γ·Δσσx

ἰ·Δ^ῖε σ^ῖε Δ^ἰε^ῖΓ^ῖε ρ Α^ἰε^ῖε^ῖε ΔΔ ρ
 ·Δ^ῖε^ῖ·Δ^ἰε, Δ^ἰ·∇αρ^ῖεῖς UVαρ^ῖεῖς, ρ Δ^ἰσ^ῖ·Δ^ἰεῖς

(L^{α} P $\sigma > (\dot{L} \cdot \Delta^b$ X , Γ $\Gamma \Gamma \Gamma^{\omega} \dot{b} \cdot \Delta^b$ (ω $P \cup \Delta^{\alpha} b$
 $U \cdot V \leq \alpha (\dot{J} \cdot \Delta \sigma^{\alpha} b$ $\dot{b} < \dot{\alpha} \dot{\alpha} \dot{d} \dot{J} \cdot \Delta \sigma^{\alpha} b_x$

¶ $\dot{\Delta}^{\circ}$ (ω $\dot{\Delta} \epsilon \Gamma \nabla \cdot \Delta P \dot{L}$ $\dot{\Delta} \cdot \Delta \geq^{\alpha}$ $\dot{L} \dot{\alpha}^b$ $\Gamma \sigma \cdot \dot{b} \dot{b} \sigma \sigma$ (ΔP),

▷ $\Gamma^{\omega} \dot{P} \dot{L}$ $UV \sigma \Gamma \alpha^{\alpha} b$ $\Gamma^{\omega} X$ $\dot{b}$ P $\dot{\Gamma} P \sigma \dot{b} U^b$ $\dot{P}^{\alpha}$
 $\Delta \epsilon \Gamma$ ($\dot{L}$ $\wedge \dot{L} \Gamma \Delta \dot{d} \geq^{\alpha}$ $\dot{P} \dot{b} \cdot \Delta^{\alpha} b$ $\dot{b} < P^c$ $\dot{\Delta} \dot{L} \dot{d}^{\alpha} b$ $\dot{b} P \sigma^b$
 $\Gamma \wedge \dot{L} \Gamma \dot{\Gamma} \geq^{\alpha} x$ $\Gamma \sigma \cdot q^{\alpha}$ $\Delta \Delta$, P $\Gamma \cdot q^{\alpha} (L^{\alpha}$ P $\dot{\Gamma} P \sigma \dot{b} U \sigma^b$
 $\dot{P}^{\alpha}$ $\Delta \epsilon \Gamma X$ Δ $\Gamma^{\omega} \dot{P} \dot{L}$, $\alpha \dot{\alpha} \dot{d} \dot{J}^{\alpha}$ (ωx

¶ Γ (ω $\dot{\Delta} \epsilon \Gamma \nabla \cdot \Delta P \dot{L}$ q ΔP) b $UV^{\alpha} \Gamma q \sigma \Gamma^{\alpha}$ Δ^c $\dot{\Delta} \epsilon \Gamma \dot{\Delta} \cdot \Delta \sigma \sigma$ $\dot{b} < b P^{\alpha}$
 $\Delta \sigma \sigma \cdot \dot{\Delta}^{\alpha}$ Γ $\dot{\alpha} \dot{\alpha} \wedge \dot{\alpha} \dot{\alpha} \dot{d}^b x$

• $\nabla \dot{\Delta} \epsilon \Gamma \Gamma \dot{d} \geq^{\alpha}$ $P \dot{\Gamma} \dot{d}^{\alpha} b$ $\nabla^{\alpha} \dot{\Delta} \epsilon \geq^{\alpha}$, ($P \dot{\Gamma} \dot{\Delta} \wedge U^{\alpha} \dot{\Delta} \cdot \dot{b}^c$ P^c
 $\Delta \dot{\Gamma} \sigma \dot{b} \dot{\Gamma} \cdot \Delta^{\alpha} x$ P^c $\Delta P \dot{L} \cdot \Delta \cdot \Delta^{\alpha}$ ($C \cdot P \dot{\Gamma} \sigma \dot{L} b^c x$ $\nabla \dot{\Gamma}$
 $\alpha^{\alpha} (C \cdot \nabla^{\alpha} (L^{\alpha}$ (ω $\dot{\Gamma} \dot{b} U$ $\Delta \Delta \dot{L}$ $\dot{\Delta} P^{\alpha} b$ $\dot{L} \dot{b} \dot{d}^b$ $P \dot{\Gamma} P \dot{\Gamma} \dot{d}^{\alpha} b_x$
 $\Gamma \dot{\Gamma} \dot{\Gamma} \dot{\alpha}^{\alpha}$ $\dot{d}^{\alpha} \dot{L}$ $P \dot{\Gamma} \dot{b}^b$ q $\Delta \epsilon \Gamma$ $\wedge \dot{L} \Gamma \dot{\Gamma} \dot{b} \geq^{\alpha} b_x$ $\dot{\Delta} \cdot V \leq \sigma$
 $\Gamma \dot{\Gamma} \dot{\alpha}^{\alpha}$ (ω σ $L \Gamma \Delta \dot{\Gamma} \Gamma q \cdot \Delta \sigma \dot{\alpha} \sigma^{\alpha}$, $\nabla \dot{\Gamma}$ $\dot{\Delta} \cdot V \leq \sigma L P \cdot \dot{\Delta}$
 ΔP° $\dot{b}$ $L \Gamma \dot{\alpha} \dot{\Delta} \geq^{\alpha} \Gamma^{\alpha} P^b$ $q \dot{d}$ $\Delta \dot{\Gamma} \cdot \Delta \dot{\Gamma} \dot{\Gamma} \dot{b}^{\alpha} q^{\alpha}$ $b \cdot q \Gamma V \sigma^{\alpha}$
 $\Gamma \cdot \Delta \sigma^{\alpha} b$; $\Gamma \dot{\Delta} \cdot q \alpha L \cdot \Delta \dot{\Gamma} \dot{\alpha}^{\alpha}$ (ω b $\dot{L}^{\alpha} (C P^{\alpha}$; $\dot{P}^{\alpha}$ $\dot{L}$
 $\cdot \Delta^{\alpha}$ P $\Gamma V^{\alpha} \dot{\Delta}^{\alpha}$ $\Delta P \dot{L} \cdot \Delta \cdot \Delta^{\alpha}$ $\dot{b} < L^{\omega} \dot{b} \cdot \Delta \dot{\Gamma} \cdot \Delta^{\alpha}$, $b <$
 $\dot{\Delta} \cdot \Delta \dot{\Gamma}^{\alpha} (C \cdot \Delta^{\alpha}$, $\dot{b} P \sigma^b$ $b < \dot{b} P \sigma^b x$ $\nabla \dot{\Gamma}^{\alpha} x$

¶ Γ (ω $\Delta \Delta$ Γ ΔP) $^b x$

$\dot{L} \dot{b} L \cdot \Delta$ $L^{\omega} \dot{b} \cdot \Delta \dot{\Gamma} \geq^{\alpha}$ $\dot{b} < \dot{b} P q$ $q \dot{\Gamma} L \sigma \cdot \Delta \geq^{\alpha}$, σ^{α}
 $U \Delta \dot{\alpha}^{\alpha} b$ $\Delta \epsilon \Gamma$ $\cdot \nabla \cdot \nabla \sigma$ P $\dot{\alpha} \dot{\alpha} \dot{d} \Gamma \sigma \dot{\alpha}^{\alpha}$ $\dot{d}^{\alpha} \dot{L}$ P $\dot{\Delta} \epsilon \Gamma$
 $\dot{\Gamma} \dot{b}^{\alpha} b$ $\dot{b} \dot{b}^b$ P $\Delta \dot{\Delta} \wedge \alpha \dot{L}^{\alpha} b$ $\Delta \Delta$ $\Lambda \sigma$ $\dot{L} L^{\alpha} \dot{\Delta} \dot{\Delta} \dot{\Gamma} \dot{\Delta}^{\alpha}$,
 $\Delta \Delta^{\circ}$ $\dot{\Delta} \dot{L} \dot{d} \cdot \Delta$ $\Gamma \dot{\Gamma} L$ $q \dot{\Gamma} \cdot \dot{\Delta} \cdot \nabla^{\alpha} \dot{\Delta} \cdot b \Gamma \sigma^b \cdot \Delta \dot{b}^{\alpha}$ $\dot{b} < \Delta$ $\Gamma^{\omega} \dot{P} \dot{L}$

[illegible]

¶ $\Gamma (\infty \ 9 \ \Delta \rho) \dot{\Delta} \sigma \cdot \Delta^{ab} \dot{b} \dot{4} \dot{L} \cdot \sigma b \dot{J} \dot{\Delta} \sigma \cdot \Delta^{ab},$

[illegible]

▷ UV₂Fe₂Si₂, $\angle 45^\circ$ D.P.L. $\Delta 7^\circ$ Γ_{25} X; ▷

UV^αῖῖ^α ρ₂Λσ), Δ Ἰ_αἸσ^αῖῖ^α ρ₂Λσ),
 ·∇·ρ₂ῖῖ^α ·∇·ῖῖ^αΛ^α, ·∇^αἸ_αΛ^α Λ^αῖῖ^α·∇^αΛ^α·Δ^α_x
 ΔΔΛ Δ^αῖῖ^α, ῖ·∇σῖῖ^αΔ^α_x ῖ^α ·∇^αἸ_αΛ^α Λ^αῖῖ^α·
 ·∇^αΛ^α·Δ^α_x ΔΔΛ Δ^αῖῖ^α, ῖ·∇σῖῖ^αΔ^α_x ῖ^α ·∇^αἸ_α·
 αΛ^α Λ^αῖῖ^α·∇^αΛ^α·Δ^α_x ΔΔΛ Δ^αῖῖ^α Λ^αῖῖ^α(α σ^α
 ῖῖ^αῖῖ^α·Δσ^α_x ῖ^α ῖῖ^α(Λ^αῖῖ^α Δ αΔσ^αῖῖ^α ρ₂Λσ)
 ·∇·ῖῖ^αῖῖ^α, ῖ·∇σῖῖ^αΔ^α_x

ῖ^α ῖ ∇(ρ Λ^αῖῖ^α); ῖ^α ῖ ∇(ρ Ἰ^αῖῖ^α;
 ῖ^α ῖ ∇(, Δ X, ῖ^α <σ^αῖῖ^α ῖῖ^α, ρ Ἰ·Δ^α Δ^αῖῖ^α(ῖῖ^α
 Δ ρ₂·ῖ·∇^α(ῖῖ^α·Δσ^αῖῖ^α ρ₂Λσ) ·∇·ῖῖ^αῖῖ^α ∇^α_x

¶ Γ (α ῖῖ^αῖῖ^α·Δ^αῖῖ^α ῖ^αΛ^α ρ^αΛ^α ΔΔΛ (σ^αῖῖ^α Δ ῖ
 <ρ^αῖῖ^α ρ Ἰ^αῖῖ^α ΔΔ ρ Δ^αῖῖ^α)

ΔΔ^α Δ Λ^αῖῖ^α·∇·Δ^α ρ₂Λσ), Δ·ῖῖ^αῖῖ^α ῖῖ^α·
 ·ῖῖ^αῖῖ^α ρ σ^αῖῖ^αῖῖ^α (Ἰ ῖ^α·∇^α(ῖῖ^αῖῖ^α ρ₂Δ·ῖῖ^α
 ῖ^α ρ^α Δ^αῖῖ^α·Δσ^α·ῖῖ^α ρ ρ^ασ^αῖῖ^α ῖ^α ρ ῖῖ^α
 ρ₂Λσ), ῖ^α Δ·ρ^αῖῖ^α ρ^α X UVσῖῖ^α; ῖ^α ΔΔ^α
 Δ Γ^α(ῖῖ^α·Δ^α ρ₂Λσ) Ἰ^αῖῖ^α·Δ ῖῖ^α·Δ^αῖῖ^α,
 ·∇·ρ₂ῖῖ^α ῖ^α <σ^αῖῖ^α ῖῖ^α ρ ῖ ῖῖ^α·Δ ῖ^α ῖῖ^α
 ·Δ^αῖῖ^αῖῖ^α·Δ^α ∇^α_x

¶ ῖῖ^αῖῖ^α·Δ^α_x

·Δ)ῖῖ^α·Δ^α_x, Δ ῖῖ^αῖῖ^α UV^αῖῖ^α, ΔΔ
 ∇^α α^α(Ἰ·Δσ^αῖῖ^α ῖ^α ῖῖ^αῖῖ^α·Δσ^αῖῖ^α, Δ^αῖῖ^α·
 ·Δ^α (α Δ Γ^αῖῖ^α ρ <Γ^αῖῖ^α ρ ρ Δ^αῖῖ^α ῖῖ^α
 Λ^αῖῖ^α·∇·Δσ^α; ῖῖ^α Δ^αῖῖ^α ∇σ ῖῖ^α·∇^α ΔΔΛ

9 ΔS ἵβᾶῖ·Ἀᾶ·ῖ ᾶᾶ ᾶᾶᾶᾶᾶ

ᾶᾶᾶ·ᾶᾶᾶᾶᾶ

¶ ᾶᾶᾶ·ᾶᾶᾶ ᾶ ᾶ ᾶᾶ ᾶᾶᾶᾶᾶ ᾶᾶᾶᾶᾶ, (ᾶᾶ), ᾶᾶ ᾶ
ᾶ ᾶᾶᾶᾶ ᾶᾶᾶ ᾶᾶᾶᾶ; ᾶᾶ ᾶᾶᾶ?

¶ ᾶᾶᾶ (ᾶ ᾶᾶ)ᾶᾶ ᾶᾶᾶ, ᾶ ᾶ ᾶᾶᾶ·ᾶᾶᾶ ᾶ ᾶᾶ ᾶᾶᾶ,

9ᾶ ᾶᾶᾶᾶᾶ, ᾶᾶ ᾶ ᾶᾶᾶᾶ ᾶ ᾶᾶᾶᾶᾶ
ᾶᾶᾶ·ᾶᾶᾶᾶᾶᾶ; ᾶᾶ (ᾶ ᾶᾶᾶᾶᾶ ᾶᾶ ᾶ ᾶ
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ᾶᾶ ᾶᾶ ᾶ ᾶᾶᾶᾶᾶ ᾶᾶᾶᾶ; ᾶ ᾶᾶᾶᾶᾶᾶᾶ ᾶ
ᾶᾶᾶᾶᾶ ᾶᾶᾶᾶᾶᾶᾶ ᾶᾶᾶᾶᾶ, ᾶᾶ ᾶᾶ ᾶᾶ ᾶᾶᾶᾶ
ᾶᾶᾶ ᾶ ᾶᾶᾶᾶ ᾶᾶᾶᾶ ᾶᾶ ᾶᾶᾶᾶᾶᾶ ᾶᾶᾶ, ᾶ
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ᾶᾶᾶᾶᾶ ᾶᾶᾶ ᾶᾶᾶᾶᾶ ᾶ ᾶᾶᾶᾶᾶᾶ ᾶᾶᾶ;

Եւ ըստ Ս.Վ.Գ.Գ. Եւ զի Ի Խ Կնժմորա Եւ Բա
 ՍՄԾԳԵԵԵ, Եւ զստ.ՃԺԺԵ ԼԾ ՎԵ.ԵԵ, ը ժ.ՃԲԺԺԵ
 Եւ ԲԲԲ.ԳԵ ԴԵԵԵ, ը .ՃԵԳԵ(ԴԺԺԵ ԺԾ ԿԵԴԵԵ
 ԿԵԴԵԵ, Եւ ը ԵԵ.Ե.ԵԺԵԵ զԵՍԺԴԺԵԵ, ը ժԵԵ,
 Եւ ը ԵԺԵ.ԺԵԾ.ԺԵ, ը ԺԵԵ զԵԼԲԴԵ; Եւ ԺԵԵԵԵԵԵ
 (Ե ը ԺԵԵԵԵ, ԲԲԲԴԺԵ ը ԺԵԵ, ԵԼԵԼ (Ե ԺԺԼ
 ԺԲԲԵԵԵ ԲԵԼԾ) զԺԾ .ՎԵԴԴԵԵ ԼԵԼ.Ժ ԼԵԵ.ԺԵԵ;
 Դ (Ե ԺԺԼԵԵ Գ ԼԺԵԵԵԵ Ե Լ ՈԿԺԵԵ ՎԼԴԴԵԵԵ
 Եւ ԵԵԵԵԵ?

Եւ ըստ Ս.Վ.Գ.Գ. Եւ զի Եւ Եւ Եւ; Եւ
 զԵԼԵԵ .ԵԵԵ զԵԴԺ.ԺԵ; Եւ Ե .ԺԵԾԴԵԴ.ԺԵ
 ՎԵԴԺ.ԺԵ; Եւ զԵԾԵԵԵԵ ԼԴԺԵ.ՎԼԴ.ԺԵԵ; Եւ
 զԼԵԵԵԵԵ .ԺԵ.ԺԼԵ, Եւ ԵԲԳ ԼԼԴԴ.ԺԵ զԵԼԵԵ?

Ե.Գ.ԺԵԺ.Վ.ԺԵԵ — ԵԲԵ ԵԾ ՍԺ Ե Ե.Վ.
 ԿԵԵԵԵ

ԺԵԴԵ.ԺԼԵ — Ե Ե ԴԵԺԵԺ Ե (Ե ԺԺ Ե.Վ.
 ԿԵԵԵԵ.ԺԵԵԵ?

Ե.Գ.ԺԵԺ.Վ.ԺԵԵ — Դ Ե ՎԵ ԵԵ.ՎԵԵԵԵԵ

ԺԵԴԵ.ԺԼԵ — Ժ.ԺԵԳ Ե Ե ԵԵ.ՎԵԵԵ ԲԵԼԾ)
 Ե ԼԾ ԵԵ.ՎԵԵԵԵ.ԺԵ Եւ Ե ԵԲ.Գ.ԺԵԵ, Եւ Ե
 ԼԵԵԵ ԺԺԼ ԴԾԵ Գ ԼԼԴԴԵԵ?

Ե.Գ.ԺԵԺ.Վ.ԺԵԵ — Դ Ե ԳԵ ԺԵԴԴԵԵԵ

¶ Դ (Ե ԺԵԴԵԺԼ Գ ԺԲԵ,

Ե Ե.ՎԵԴԴԵԵ ԲԵԼԾ), ԿԵԵԵԵ .ԺԺԾ ԵԵԵ զԵԼ

ፊህፊ ሊገልጽ.ግለሥ.ፈ; <የሀዳ(ጽ ር. ፈፅሞ ለገጠኛ
ጠፈረ ልፈረ ዓ ገፈታኛ(ፈፅሞ.ፈ), ሆ ገፅ.ፅ.ፈ ሙሉ
የ ር.ግፈታኛ.ፈ, ገፅ ር. ር.ፅፈፅ.ፈ የ
ሀ.ግፈታኛ(ፈ ለገጠኛ.ፈ), ፈ.ፈ ፈፅሞ ሆኑ X ሀግፈ-
ግፈፅፅ ግፈፅፅ

¶ ሆ ር. ፈፅሞ.ፈ ሆ ፈፅሞ ለገጠኛ ፈ ር. ፈፅሞ ር. ፈፅሞ
ፈ.ፈ.ፈፅሞ,

ፈ.ፈ ፈፅሞ ለገጠኛፅፅ

¶ ሆ ር. ፈፅሞ.ፈ ሆ ገፈታኛ(ፈ), ፈፅሞ,

የ ገፈታኛ(ፈ ሆ ፈ ፈፅሞ.ፈ.ፈ ፈፅሞ.ፈ.ፈ ፈፅሞ, ፈ
ፈ.ፈፅሞ, ፈ ፈፅሞ ፈፅሞፅ ግፈፅፅ

¶ ሆ ር. ፈፅሞ.ፈ ሆ ፈፅሞ,

ፈፅሞ ፈፅሞ ሆ ፈፅሞ ለገጠኛ ልፈረ ግፈ
ፈ.ፈፅሞ(ፈ)ፈፅሞ X ፈፅሞ ፈፅሞ.ፈ.ፈ, ፈ ሙ ሆፈ-
ፈፅሞ ግፅ.ፅፅ ፈፅሞ.ፈ ፈፅሞ.ፈ, ሆ ፈፅሞ ሆ
ፈፅሞ(ፈ የ ሀ.ግፈታኛ X(ፈ ፈ ሆ ሆፈ.ፈ.ፈፅሞ.ፈ, ፈ
ፈ.ፈፅሞ ሆ ገፅ(ፈ ፈ ፈ ሆ ሆ.ግፈፅሞ.ፈ ሊገልጽ-
ግፈሥ.ፈ, ፈፅሞ, ፈ ሊገልጽ; ፈ ገፅ ሆ
ፈ.ፈ)ፈ X ፈ ሀ.ግፈታኛ(ፈ ፈፅሞ.ፈ ፈ ፈ <ፈፅ-
ሞ ሆ ሆ ለፈፅሞፅ ግፈፅፅ

¶ ሆ ር. ፈፅሞ.ፈ ሆ ፈፅሞ,

የ ፈፅሞ(ፈ, ሆ ሆፈፅሞ, ፈፅሞ)ፈ, ፈፅሞ

ṣ>ṣṙḙ, Ḡ ḙ ḅḑ Ḡ ḏ.ḏṙ.ḏḙ Ṗ ḏḏḏḙḑṣṙḙ; ḏḙ.ḅ-
ḏṣḙḅ ḙ ḏṙḙ ḅṙḙ ḏḙṙḙḅ Ṗ ḏṣ ḏḙḙḑḙ.ḏṣṣḙḙḙ,
Ḡ Ṗ ḏḙḙḙḙ Ṗ ḅṙḑ ḏṙḙ.ḏ.ḏṣṣṣ, ḏḙ ḏḙṙ X
UVṣḑḙḙḙ ḑḑḙḙ

¶ ḅṙḙ ḙ ṣḑḙ.ḏ.ḏḙ, ḏḙḙḑḙ.ḏṙḙ ḏ ḅḙ ḏḙḙ ḏṣṣṣ

ḙḏḙḙḙḙḙ

ḏḙḙḙ ḏḏḙḙḙ Ṗ ḙḏḑ ṙḙ.ḏ Ṗ ḏḙḙḙḙḙ Ḡ Ḡ
ḙḏḙḙ ḙḙḙḙḙ ḅḑ ḅṙḙ ḏḙ ḏḙḙḙḙḙ.ḏṣṣṣ, Ḡ
Uḙḙḙḙḙ ṙḙḙḙḙḙ, ḅḑ Ṗ ḏḙṙḙḙḙḙ; Ṗ ḅ Ḡḙḙ-
ḙḙ.ḏ ṙḙ.ḏ Ṗ ḏḙḙḙḙḙḙ Ḡ ḏḙḙḙḙḙ Ḡ ṙṙḙḙḙḙ-
ḙḙḙḙḙ ḙḙḙḙ ḏḙḙḙḙḙ ḙḙḙ ḏḙ ḅḙṙḙḙ, ḑḏṙ
ḏḙḙḙḙḙḙḙ ḙḏḑ.ḏṣṣṣ ḙḙḙḙ ḏḙḙ ḅ Ṗ ḏṙḙḙ
ṙḙ.ḏ Ṗ ḏḙḙḙḙḙḙ ḙḙḙḙḙ ḙ ṙḙḙḙḙḙ ḏḙ
ḏḙḙḙḙ, Ṗ ḅ ḙḙḙḙḙḙ Ḡ ḙḙḙḙḙ ḙṙṙḙḙḙ.ḙḙḙ;
ḙḙḙḙḙ ḙ Ṗ ḅ ḙḙḙḙḙ Ḡ ṙṙḙḙḙḙḙḙḙ ḙḙḙḙ ḙḙḙ
Uḙḙḙḙḙ.ḙṣṣṣ, UVḙṙḙḙ ḏḙ ḏḙḙḙḙḙḙ, ḅḑ ḙṣṣ
Ḡḙḙ ḅṙḙḙḙḙ ḙḙḙḙḙ ḏḙ ḙḙḙḙḙḙḙḙ, ḅḑ ḅṙḙ
ḏḙṙḙḙ ḙḙḙḙ ḙṣṣ ḙḙḙḙḙḙ ḙ ṙḙḙḙḙḙḙ ḅḑ ḙ
Uḙḙḙḙḙḙ Ḡ ḙḙḙḙḙ ḏḙ ḙḙḙḙḙ; ḅḑ ḙḙḙḙ ḏḙḙḙḙḙ
ḙḙḙ Ḡ ḙṣ ḏḙḙḙḙḙḙ Ḡ ḙḙḙḙḙḙḙḙ ḙḙḙ ḙḙḙ
ḙḙḙḙḙḙḙ ḙḙḙḙḙḙḙ; ḑḙḙ Ṗ Ḡḙḙḙḙ ḙḙḙ
ῥḅḏḙḑ.ḙḙ Ṗ ṙṙḙḙḙḙḙḙ ḙ ḙḙḙḙḙḙḙḙ; Ḡ ḙ
ḙḙḙ Ḡ ṙṙḙḙḙḙḙḙ ḙḙḙḙḙḙ X, ḅḑ Ḡ ḙḙḙḙḙḙḙḙ
ḙḙḙ ḙḙḙ; ḙḙḙḙ ḙḙḙ Ṗ ṣḙḙ ḅḑ Ḡḙḙ Ṗ ḙḙḙḙḙḙ

ṽḁ.ḏḁḑ ḏḁṽ, ḡ ḡ ḃḑ ṽḁ.ḏḁḑ ḃ ṽḃḏḁḑḡ.ḏḁḑḁḑ ṽ
 ḡ>Ḓḁḑḑḁ Ḓṽḏḡ.ḡḁṽ.ḏḁ ḃḑ ṽ ḏḁḁṽḑḑḑḒḁḑḑḁ
 .ḃḑ.ḃḑṽ.ḏḁ, Ḓḑḑ ṽ ḑḑṽḑḑḑḑḑ ḑṽḁ ṽ Ḓṽ ḁḁḑ.ḡḁ-
 Ḓ.ḏḁḑḑḁ, ḃḑ ḡḁḑṽ ṽḑḑḑ ṽ ḑḑ ḁḑḑḑḑḑ ḏḏḒ
 ḑṽḁ ḑ.ḑḑ.ḏḁḑḑ ḃḑ Ḓḑ.ḏḁḑḑ.ḏḁḑḑ_x

¶ ḡ ḑḑ ḃḑ ḡ ḏṽḑḑ,

ṽ ḃ ḑḁ.ḃḑṽḁ.ḑ .ḏḁḑḑ ḑḁḑḑḑ ṽ ḁḒḑ.ḏḁḑḑ.ḏḁḑ
 ṽḑḑḑḑḑ.ḏṽḒ ṽ ḑḑḑḑḑḑ .ḏḑḑ ḑḁ ḑḑṽḑ ṽ ḏṽḑḑ
 ḏḏḑ Ḓ.ḑḑḁḒ.ḏḁḑḑ, Ḓḑḁṽḑḑ ḏḑ ḑḑḑḑ.ḏḁḑ, ḃḑ
 ḏḑḑ ḑḑ.ṽ ḑṽḑ.ḏḁḑ ḑḁḁ.ḡ ḏḑ ḏḑṽḑ.ḑ.ḏḁḑḑ, ḃḑ
 ṽ ṽṽḑḒḑ.ḏḁḑḑ.ḏḁḑ ḑḑḑḑḑ.ḏ ḃḑṽḑḑḑ ḑ ḏḏḑ
 .ḡḁṽ ḑḑ.ḏḁḑḑḑḑ_x

Δσ° · ḥNPR_L,

PP_ΔΔ_L9·Δ^a ῖ P9^aḤ^a bP_a Δ·Δ^b ῖ·Ḥⁱ Δ_ῖῖΔ_ῖ

PR_ΔḤ_Γ∇·ΔP_L·Δ^a_x

b·9_Γ∇·∇·Δ^a_x — Δ_ῖ^a ∇Sσ_bῖ^a?

a·9·Δ_SΔ·∇·Δ^a_x — ḡ b_ΔL Δ_x

b·9_x — Δ·∇_ḡḡ^b ḡ Γσ·ḡ ΔΔ Sσ_bῖ^a·Δ^a?

a·9_x — ΔP° ḡ ῖ σ<·Δ(Δ·Δ·Δ_ῖ ΔΛ ḡ ῖ b_ΔḤ_ῖ·
ῖ^a, ΔΔ_L ḡ ῖ ΔSΔ_ῖ^a ῖ·Δ_ῖ·Δ^b X, ῖ Δσ_ῖ·
σ_ῖΓ_ῖ P₂Lσ), ḡ_Δ ῖ Ḥ·bP_ΓḤ^a PRP_Sḡ·Δ ΔP_L·Δ·
·Δσ^a_b_x

b·9_x — Δ_ῖ^a ḡ)(L·Δ·ḡ ΔΔ° ΔΛ ΔP° ḡ ῖ
σ<·Δ(Δ·Δ·b?

a·9_x — σ_ῖ^a qd^a ῖ L_ḡḡ·Δ ΔP)·Δ^b σ^a ΔS·
σ_bῖ^a·Δσ^a_b_x σ(Δ ῖ·∇Λ_ḡ L_ῖLσ) ḡ_Δ bP_a Δ^c
Δ_ḡP·Δ_a^a, bP_a ΔP·Δ L_bUσ_ῖ·Δ_a^a ḡ_Δ P_Uσ_ῖ·
·Δ_a^a, ḡ_Δ bP_a ·Δ_ῖῖ^a·Δ L_ῖ a^a·∇^a(Δ·Δ_a^a_x
Γ_a·Δ, ῖ U·V(L^a bP_a Δσ° ḡ_Δḡḡḡσ·Δ U·V_ḡ·
(Δ·Δσ^a_b ḡ Δ_ῖ^aP_a_x Γ_a·Δ (ḡ, ῖ b_a·∇^a(L^a
P₂Lσ) Δ Λσ Δ_ḡ·(Δ·Δ^a ḡ_Δ Δ bP·9·Δ_a^a, ῖ
Λ_ῖḡ^a (ḡ ΔΔ_L Γσ^b 9 Λ_Lḡῖ^a_x

b·9_x — ḡ·Δ^a ḡ σ^a ḡ U·V(ḡ_ῖ ḡ_Δ)(ḡ_ῖ P^c
Δ_ḡ·(Δ_L L_ῖ ḡ ῖ Δ·ḡ(L·Δ·b?

a·9_x — Γ_a^a9_b; P₂Lσ) (ḡ ῖ·Δ)ḡ·Δ_S σ^a ḡ

ᠮᠤᠨᠤ (ᠰ ᠠᠨᠤ ᠢᠵᠤᠯᠤ) ᠰᠤᠷᠢᠭᠤᠰ, ḡ ᠢ ᠢᠰᠤᠨᠤᠰ
ḡᠰ ᠪᠢᠷᠤ ᠳᠣᠰᠤᠨᠤᠰ

ᠮᠤᠨᠤ (ᠰ ᠠᠨᠤ ᠢᠵᠤᠯᠤ) ᠰᠤᠷᠢᠭᠤᠰ, ᠠᠨᠤ ḡ ᠤᠨᠤᠰ,
ḡᠰ ᠪᠢᠷᠤ ᠢᠵᠤᠯᠤ) ᠳᠣ ᠠᠨᠤᠭᠤᠨᠤᠰᠤᠰ

ᠪᠤᠭᠤ — ᠢ ᠢ ᠳᠢ) ᠢ ᠤᠰᠤᠨ ᠳᠢ)ᠠᠨ ᠳᠢ ḡ ᠢ
ᠰᠤᠨᠤᠨᠤᠰᠤᠰ ᠢ ᠪᠤᠨᠤᠨᠤᠰ (ᠤᠰ ᠢᠵᠤᠯᠤ) ᠳ ᠪᠢᠷᠤᠨᠤᠰ
ᠤᠨᠤᠨᠤᠰᠤᠰ ᠤ ᠨᠤᠨᠤᠰᠤᠰ?

ᠤᠨᠤᠰ — ᠮᠤᠨᠤ

ᠪᠤᠭᠤ — ᠠᠨᠤ ᠤ ᠳᠤᠰᠤ?

ᠤᠨᠤᠰ — ᠳᠤᠰᠤ ᠤ ḡ ᠢ ᠳᠢ)ᠤ ᠢᠵᠤᠯᠤ) ᠳᠤᠨ ᠠᠨᠤᠰ
<ᠭᠤᠨᠤᠰᠤᠰ ᠨᠢᠷᠤᠰ ᠤᠰᠤᠨᠤᠰᠤᠰ, ᠢ ᠳᠢ)ᠤ, ᠠᠨ ᠤ
ᠤᠨᠤᠰᠤᠰ ᠢ ᠢᠵᠤᠯᠤ)ᠤ, ḡ ᠢ ᠳᠤᠰ ᠤᠨᠤᠨᠤᠰᠤᠰ ᠠᠨᠤᠰ
ᠠᠨᠤᠰ, ᠳᠤᠨ ᠠᠨᠤᠰᠤᠰ ᠠᠨᠤᠰᠤᠰ ᠳᠤᠰᠤ

1. ᠪᠤᠨ ᠠᠨᠤᠰ ᠳᠤᠰ ᠢ ᠢ ᠳᠤᠰᠤ)ᠮᠤ ᠠᠨ ᠨᠤᠰ

2. ᠪᠤᠨ ᠢ ᠢ ᠳᠤᠰᠤᠨᠤᠰ ᠤᠰᠤᠰ ᠪᠣ ᠭᠤᠨ ᠨᠤᠰᠤᠰᠤᠰ
ᠠᠨᠤᠨᠤᠰ ᠢᠨᠤᠰ, ᠪᠣ ᠠᠨᠤᠰ (<ᠢᠰ, ᠪᠣ ᠰᠤᠨᠤᠰ
ᠠᠨᠤᠨᠤᠰᠤᠰ ᠭᠤ ᠠᠨ ᠠᠨᠤᠨᠤᠰᠤᠰᠤᠰᠤᠰ ᠪᠣ ᠭᠤ ᠠᠨ
ᠮᠤᠨᠤᠰᠤᠰ; ᠠᠨ ᠤ ᠠᠨᠤ ᠤᠨᠤᠰ ᠢ ᠢᠵᠤᠯᠤ)ᠤ ᠰᠤᠰ
ᠳᠤᠰᠤᠰᠤᠰ ᠢᠵᠤᠯᠤ)ᠤᠰ ᠤ, ᠪᠣ ᠰ ᠠᠨᠤᠰᠤᠰ ᠳ
ᠤᠨᠤᠰᠤᠰᠤᠰᠤᠰ ᠳᠤᠨᠤᠰ ᠳᠤᠨᠤᠰᠤᠰᠤᠰ, ᠠᠨᠤ ᠰᠤᠰ
ᠪᠣ ᠰᠤᠰ ᠢ ᠠᠨ ᠠᠨᠤ ᠤᠨᠤᠰᠤᠰ ᠳᠤᠰ ᠤᠨᠤᠰᠤᠰᠤᠰ,
ᠪᠣ ᠰ ᠤᠨᠤᠰ ᠮᠤᠨᠤᠰ ᠳᠤᠰ ᠤᠨᠤᠰᠤᠰ ᠪᠣ ᠭᠤᠨᠤᠰ
ᠤᠰᠤᠰ ᠠᠨ ᠢᠨᠤᠰᠤᠰᠤᠰ

3. ᠪᠤᠨ ᠠᠨᠤᠰᠤᠰ ᠢ ᠢ ᠠᠨᠤᠰᠤᠰ ᠳᠣ ᠠᠨᠤᠰᠤᠰᠤᠰ
ᠤᠨᠤᠰᠤᠰ ᠢ ᠢᠵᠤᠯᠤ)ᠤ; ᠠᠨᠤ ᠤᠨᠤᠰᠤᠰ ᠪᠤᠨ ᠳ ᠢ

ḡ.ḡ_x — ḡḡḡ ስ ስ.ḡḡḡḡḡḡ ልል። ስ፡፡፡.ልግግ.ልግ
X ስ ስ፡፡.ልግ, ስ፡፡ ልሙ ስ፡፡ ል፡፡ ልል። ስ ስ ስግ
ስ፡፡፡፡፡፡፡

፡፡.ḡ_x — ል፡፡ ልል። ል፡፡፡፡ ስ፡፡፡.ል፡፡፡.ልግ.ልግ.ልግ.ልግ
፡፡፡፡፡፡ ልል፡፡ ሀ፡፡፡፡ ስ ስ፡፡.፡፡.ል፡፡፡፡?

ḡ.ḡ_x — ፡፡፡፡፡ ስ፡፡ ፡፡፡፡, ልሙ ሀ፡፡፡፡ ስ ስ
ልግ፡፡፡ ሀ፡፡፡፡ ስ ስ፡፡፡፡፡፡፡

፡፡.ḡ_x — ል፡፡ ልል። ልግ፡፡ ፡፡፡፡፡.ልግ ልል፡፡
፡፡፡፡፡፡፡፡፡፡?

ḡ.ḡ_x — ፡፡፡ ስ፡፡ ስ ስ ስ፡፡፡ X, ሡ፡፡ ስ፡፡ ፡፡፡ ስ
፡፡፡፡፡.ል፡፡ ስ፡፡ ስ ስ፡፡፡፡፡.ል፡፡ ልሙ ስ፡፡፡፡፡.ል፡፡
ሙ፡፡፡ ልል፡፡ ሀ፡፡፡፡ ስ ስ፡፡.፡፡.ል፡፡፡፡፡፡

፡፡.ḡ_x — ል፡፡ ልል። ፡፡፡፡፡፡ ልሙ ስ ስ፡፡፡፡፡፡?

ḡ.ḡ_x — ስ ስ፡፡፡፡፡፡፡ ስ፡፡ ስ፡፡፡፡፡፡፡፡፡፡ ስ፡፡
፡፡፡፡፡፡ X ፡፡፡ ስ፡፡ ስ ስ ስ፡፡፡ ስ፡፡፡ ስ፡፡፡፡፡፡፡፡፡፡
፡፡፡፡፡፡፡ ፡፡፡፡፡ ስ፡፡ ፡፡፡፡ ስ፡፡፡, ስ፡፡ ፡፡፡፡፡፡፡፡፡፡

፡፡.ḡ_x — ፡፡፡፡፡ ፡፡፡፡፡፡፡ ልሙ ስ ስ ስ፡፡፡፡
፡፡፡ ልል። ሀ፡፡፡፡ ስ ስ፡፡.፡፡.ልግ?

ḡ.ḡ_x — ስ ስ፡፡፡፡፡፡፡፡, ስ፡፡፡ ፡፡፡፡፡ ስ፡፡፡፡
፡፡፡፡፡፡፡፡ ስ ስ፡፡፡፡፡፡፡፡፡፡, ፡፡፡፡፡፡ ስ
ል፡፡፡፡፡ ስ ስ፡፡ ስ፡፡፡፡፡፡; ፡፡፡፡፡፡ ስ ስ፡፡፡፡፡፡
፡፡፡፡፡ ስ፡፡፡፡)፡፡ ስ ፡፡፡፡፡፡፡፡፡ X ስ፡፡፡, ስ ፡፡፡፡፡፡፡፡፡፡
፡፡፡ ስ፡፡፡፡፡፡ ስ ስ፡፡፡፡፡፡; ስ፡፡ ስ ስ፡፡፡፡፡ ስ፡፡፡፡፡፡፡፡፡፡
ል፡፡፡፡፡፡፡

9 Δ5 ·ΔΠΘΔ^α·ζ̇ ΔΡ^ο 9 ·ΔΠΘ·Δ^ι_χ

¶ 9 ΔΡ^οΔ^α·Δ^α_χ Ρ·ζ̇ ·ΔΠΘΔ^α·ζ̇_χ

σ ·Δ^α·Δ^ι9 Ρ ·Δ ·ΔΠΘ^αΠ·Δ^ι_χ Δ̇. β̇< Δ_χ ρ̇^αΛ^α
 σ^αδ(Δ^ι ∇^α·Δ^ι4^β 9 9^α·Δ^ι·9^α 9^αΔ^α ·β̇< 9 ΡΛΡ-
 Δ^α·Δ^ι_χ Δ^α Δ^ασ^α·Δ^ι_β Ρ ·ΔΠΘΔ^αβ^α·Δ^ι·β̇ Λσ ·ΔΠΘ-
 ·Δ^ασ^αβ̇, Δ̇_σ (·Δ^α·Δ^ι_χ Γ ΔΔ Δ^αβ̇) [Δ^αδσ^αΔ^α β̇<
 Δ^αδσ^αΔ^α] β̇·9Ρ^α9^αΔ^α_χ

¶ ΔΛ ΔΔ^ο Ρ5^ββ̇ Ρ ΔΠΘΔ^α·ζ̇ ΔΡ^ο 9 ΔΠΘ·Δ^ι_χ (ΛΔ^α·Δ^ι_β Δ^αΓ∇Δ-
 β̇Γ^αβ̇ Ρ ΔΡΔ^α·Δ^ι_β Δ Ρ^α·∇^α·Δ^ιβ^α·Δ^ι_β β̇< ΔΡσ^α·Δ^ι_β: ΔΔ^ι (̇ Ρ
 σ̇<·Δ^α·Δ^ι_β, Δ^αΔ^ο Δ̇_∇ ΔΔσ^α Δ^α9, Δ^α9 (̇ Δ^α·Δ^ισ^αβ̇ Δ^α9, Δ^αβ̇Γ∇·ΔΡ^ι
 (ΔΡ),

9Ρ ΔΡΔσ^αΔ^αβ̇, Ρ Δ̇·Δ^α·Δ^ιΔ^αΓ^α ΔΔ^ι Ρ ·Δ^α·Δ^ιΓ^αΔ^αβ̇
 Ρ^αΔ^ασ^α β̇< β̇Ρ^α ΔΔ Δ^αβ̇Γ·Δ^ασ^α·Δ^ι_β, Ρ ·ΔΠΘΔ^α·ζ̇
 ·Δ^αΔ^ο Δσ^ασ β̇< Δ^α9 Λσ ·ΔΠΘ^αΠ·Δ^ασ^αβ̇; Γ 4 ΔΔ
 9^αΔ^α·Δ^ι_β Δ^α·∇Λ^α·Δ^α, β̇ Ρ Δ^αΔ^α·∇^α Ρ^αΔ^ασ^α Γ·β̇
 Γ^αΔ^α·∇Λ^ασ̇< Δσ^ασ·Δ^ι_β, Ρ ·Δ^α·Δ^ιΠσ^αΔ^αβ̇ ΔΔ^ι
 ·∇^α·Δ^α·Δ^ι_β X β̇< Δ^α Δ^αβ̇Γ·Δ^ασ^αΔ^α; Γ 4
 ΔΔ Λσ Δ^α·∇Λ^α·Δ^α X Ρ Ρ^αΔ^α·Δ^ι_β β̇< Δ Ρ
 Γ·Δ^α·Δ^ι_β ΔΔ^ι σ^α·Δ^ι_β Ρ Δ̇·Δ^α·Δ^ι Δ^αΔ^αΔ^α ΔΛ ·Δ^α·Δ^ιΠ-
 9^αΠΔ^α·Δ^αΡ̇< ΔΔ^ι 9^α Δ̇^α·Δ^αβ̇; β̇< (̇ Δ̇σ^αΔ^α
 Δ̇< Ρ ΔΡ) Ρ Δσ^αΔ^αβ̇ ΔΔ Ρ Δ^α·Δ^ιΔ^α·Δ^ι_β β̇Ρ^α
 Δσ^ασ·Δ^ι_β; Γ 4 (̇ ΔΔ^ο Δ̇·Δ^α Δ̇·∇Δ^α (ΔΡΔΔ^α-
 Δ̇< Δ̇< β̇< Δ^α·Δ^ιΔ^α·Δ^ι_β Δ̇·Δ^α9 Δ̇^α·Δ^ι_β β̇< Ρ
 Λ^α·Δ̇^αΔ^αβ̇, Ρ Δ^α·Δ^ιΔ^αβ̇Πσ^αΡ^α Δσ^ασ·Δ^ι_β Δ ·Δ̇^α·

Γ•Δ α•(•∇•(Γ•Δσ•Δ^α Ἰῆ Δ•∇Γ^αῆς ῥΓ)(Γ•Δ-
σΓ•ῆ ΔΔἸ ῆ (• ὀὀβ(•∇•(Γ•Δσ^α, βΡ(•∇•(Γ•
•Δσ^α, σ•ῆῆ•Δσ^α, ῆῆ Ρ ασῆσ(•Δῆ ΡῆΛσ)•;
•ῆῆ Ρ Δῆῆῆ(• ΔΔ• ῆῆ •∇• Δα••Δσ•Δ^α Ρ
•ΔΠΘὀσ•Δ^α_x

σ(Γ Ρ Δα••Δσ•Δ^α Ρ σῆ•ΔΡΔ•ῆ ΔῆΛσΓῆς,
Ρ ΔΛΡΔ•ῆ Ρ ασῆσ(•Δῆ ῆῆ Ρ ΡῆσἸ•Δῆ
UV•ΡῆσΓ•, ῆῆ •Δ• Δῆ Δῆσῆῆ•Δ• Ρ ΡU•
ῆῆΠσῆ_x

Γ•Δ, Ρ Δα••Δσ•Δ^α Ρ ΛΓΔῆ•∇ΛΓὀσ•Δ^αΓ-
ῆῆ ῆῆ Ρ ΛῆῆΠΓὀσ•Δ^αΓῆῆ; ΔΡ• Δσσ•Δῆ
ῆῆΓῆ Ρ ΠVσΓΠΓῆῆ Ἰ• (σῆ•Δῆ, Ρ Δ• Γ•
ΠV•ῆῆΓῆῆ Ρ •Δῆ•Δῆῆ X(•_x

Γ•Δ, Ρ Δα••Δσ•Δ^α Ρ Γ• •Δῆ•Δῆῆ, Ρ
•ΔῆῆΠῆῆ ῆῆ Γ•ῆσΓΔΠῆῆ ῆῆΔ ῆῆ Δῆ•Δῆῆ
ῆῆ ΡΠἸΡῆῆ_x Γ ΔΔ• ῆ ΔΔ Λσ Δῆ•∇ΛΓ-
•Δσ^α Δῆ σῆ• Δῆῆῆ ῆῆῆ ῆ ῆ Δῆῆῆ Ρ
VῆῆΔ•ῆ_x Γ (• ΔΔ• ΡῆΛ• Δ•∇ῆ ῆ Ρ •Δῆ-
Πσ•∇•ῆ •ῆῆῆ ῆῆ ῆ Ρ Δ• •ΔΠῆῆ Ἰ• ῆῆῆ (
ΔΡ), ῆῆἸ ῆῆῆ ῆ (Ρ)_x

¶ ῆῆ (• Ρ ῆῆσ•ῆ Δσ• ῆ ΔῆῆΠσΓ•, (ΔΡ),

Ρ• ΔῆῆῆΓΓσ•Δ ῆῆ Ρ ῆῆῆΓσῆῆ Ρ•Δ
ῆῆῆ, Ἰῆ ῆ ΔΡῆῆ •ῆ(Γ•ῆῆῆ ΠῆῆσῆΔ Ρῆῆ
ΔΛ ῆῆ ῆ ΡῆῆῆUΡ• Ρῆῆ ῆῆ Δῆῆῆ, ΡῆΛ•

¶ Γ (° ρ <ΡΠσ)·Δ^β, Δ^γ (° ·ΔΡ^β Λ^γαΔβσ^{αβ} ▷ β <ΡΠΔ^α Δ^βΛσ^β-
 Λ^γα^α, Δ^βΓ^γΔΡ^β (° ρ ▷Δ^βΔ^β δΡ ▷ β Γ^α Δ^β·Δ^α (° ρ
 Δ^βΛσ^αΡ^αΔ^β ▷ αΛ^αΡ^ασ^αα^{αβ} Δ^α·Δ^α Δ^β (° ρ (° Γ^αΡ^αΔ^β Δ^βΛσ^αΡ^αΛ^αα^α
 ρ ΡΡ^αΔ^βΔ^β Δ^βΓ^γΔΡ^β (ΔΡ),

·Δ^βΔ^α Δ^βΛσ^αΡ^αΛ^αα^α ▷α^β ρ ·ΔΠΘΓ^α, σ^βο^α γ
 ρ^α ▷α^β Ρ^αΠσ^αΓ^α, βΡ^αα^α ^αΥ^αΔ^βΔ^α (° ρ Γ^ασ^α, ▷^α
 Δ^βσ^αβ^α·Δ^ασ^{αβ} ·∇^αΔ^βΓ^αα^β, β^αγ ·∇^α·Ρ^αΓ^αα^β, β^αγ <σ^αΡ^α
 Δ^βΔ^β_x ∇^αΓ^α_x

¶ Γ (° Δ^βΓ^γΔΡ^β Δ^α ΔΡ^α),

Δ^αΥ^α Δ^βΓ^γΔ^βΔ^α_x

▷ βΡ^α α^αΥ^αΔ^βΔ^α, ·∇^αΔ^βΔ^α β^αγ α^α·∇^ασ^αΔ^α·
 βΡ^αα^α Δ^ασ^α·Δ^β, ρ^α Δ^β·∇^αΔ^α βΡ^αα^α Δ^βΔ^α·Δ^α·∇^αα^β-
 α^α·Δ^α β^αγ ·∇^αα^αΔ^βα^α βΡ^αα^α Δ^βΠ^αΡ^α·Δ^α Δ^α Δ^βσ^αα^α-
 Δ^βΔ^αΔ^β ρ Γ^αΔ^βΔ^α·Δ^ασ^α ▷Δ^α ρ <Γ^αΔ^βα^α, ·Δ^βΔ^α Δ^β
 β^αγ ·Δ^βΔ^α Δ^α·Δ^α, Γ^α·Δ^βΡ^αΔ^α·Δ^α ρ^α Δ^βσ^αβ^α·Δ^ασ^{αβ}; Δ^βΔ^α
 Δ^βΡ^α β^αγ α^αΥ^αβ ρ Γ^αΔ^βΔ^αΠ^αΡ^αΓ^α·Δ^β Γ^α γ Δ^βΔ^α β^αγ
 ▷Δ^α α^α ·Δ^αΔ^β·Δ^β β^αγ β^α·∇^αΔ^β·Δ^β β ρ Δ^β αΔ^αΓ^α-
 Δ^β·Δ^β [ρ ·Δ^βΔ^αΠ^α·∇^αα^β ρ Γ^αΔ^βΔ^α·Δ^αα^β ·Δ^βΔ^α Δ^βΛσ^α-
 Ρ^αΛ^αα^α β^αγ ρ ▷Δ^βΛσ^αα^β] β^αγ Δ^βΡ^αΔ^βΔ^αΠ^αΡ^αΓ^α·Δ^β
 Δ^βΡ^αΔ^α·Δ^ασ^{αβ} β^αγ Δ^βΔ^αΔ^β·Δ^ασ^{αβ} β^αγ ρ ·Δ^α·β^αΔ^α
 Δ^βΔ^α·Δ^β Δ^β ∇^αΡ^αα^β ρ^α Δ^αα^α·∇^α·Δ^α, ·Δ^α ▷α^β Ρ^αΔ^α
 X ^αΥ^ασ^αΓ^αΔ^βΡ^αΔ^α_x ∇^αΓ^α_x

¶ Δ^βΓ^γΔΡ^β (° ▷ β Γ^αΡ^αΓ^αΠ^αΔ^α ▷ αΔ^ασ^αΡ^αα^{αβ}, β^αγ (ΔΡ),

Δ^ασ^α β ·ΔΠΘΔ^β Ρ^αΥ^αΔ^α β^α·Δ^α Δ^ασ^α ▷ β
 <β^ασ^αΔ^βΡ^α_x

¶ Γ (ς) ᾠδὴ ΓΥ·ΔΡΛ ἢ ἑξῆς ἑξῆς ΔΔΛ ὀψίονα,

Ρ αδΓ·Δῖς ᾠδ. ἑξ. Δ. Ἀσ·ΔΠΘ·Δσ^{αβ} ΔΔ^ο ἢ
ἑξ. ἑξ. Ρ ΔΡ·Δῖς Ρ ᾠδ(δ·Δῖς ΡΖΛσ)^α ἑξ. Δσ
Δσσ·Δ^α ΔΔΛ ἑξ. Ρ Δσ ΡΡΔΡ·Δῖς Ρ·Δῖ^αΠσ-
·Υ·Δῖς (ς) Ρ Γσ·Δῖσ·Δ^{αβ} ἑξ. Ρ Δῖ^αΛᾠβσ·Δ^α
ᾠ^ασ^αΡ^αΛ^α, Ρ ἢ^ασ^αΡ^ασ·Δῖς (ς) : σ·Δ^αῖ^α ἢ ἢ
·ΔΠΘΓ·Δῖς, Δ^α Δσσ^αἑξ·Δσ^{αβ}·Δῖ^αΡ^αΓ^α, ἑξ.·Δ·Ρ-
Ρ^αΓ^α, ἑξ. ᾠ^ασ^α ᾠ^αἑξ ὀψίονα

¶ ᾠδὴ ΓΥΔΡΛ (ς) (ΔΡ) ΔΔ Γ·αΡΓ·ΥΔσσ^α

ΡΖΛσ)·Δῖ^αΡ^αΓ^α, ΡΖΛσ)·Δ·Ρ^αΡ^αΓ^α, ΡΖΛσ)
ᾠ^ασ^α ᾠ^α Ρ ἑξ·Δ Γ^αᾠ(δ·Δῖ ἢ ἑξ. ἑξ·ΥσΓ^α·Δ;
ΥΥ^αΡ^α ᾠ Δ ἢ·Υ^αΡ^α·Δσ^{αβ} Ρ ἑξ·Δ Γ^αᾠἑξ·Δῖ^αΓ^α·Δῖ
ἑξ. (ς) ᾠ^αΡ^αΔ^α·Δ ἑξ^α ᾠ^α·Δ Γ^αᾠ(ῖ·Δσσ ἑξ
ἢ·Υ^αΡ^α·Δσσ ΔΔΛ ἈΛΠ^α·Δσ^{αβ} ἢ Ρ Δσ·Δ^αΡ^α-
ΛΠ^αΓ^α·Δ ᾠ^α ᾠ^α ᾠ Δ^αΡ^α ᾠ Δ^αΡ^α ἢ ᾠ^α·Δ ἑξ^α ἈΛΠ-
^α·Δ^α ὀψίονα

¶ Γ (ς) ᾠδὴ ΓΥΔΡΛ Ρ ᾠ^αἑξ ὀψίονα Δ Δ^ασ^α·Δῖσσ (ΔΡ) ἑξ^α
(ς) σ^α ΔΔ σ^αΔσ^α

ΡΖΛσ) ΡΠΛ^ασΓ^ασ^α σ^α·Δ^α lxvii.

ΡΖΛσ) ΡΠΛ^ασΓ^ασ^α, ἑξ ἢ·ΥσΓ^ασ^α : ἑξ
·Δῖ^αᾠ^ασ^α ὀψίονα ᾠ^α·Δῖ^αᾠ^α·ᾠ^α, ἑξ ΡΠΛ^ασΓ^α-
σ^α;

ρ^c $\Delta\mathcal{F}\Gamma\theta\cdot\Delta^{\alpha}$ Γ $\rho q^{\alpha}\dot{\zeta}\cdot b^b$ $\triangleright\triangleright L$ $\triangleleft\rho^{\alpha b}$; ρ
 $\wedge\dot{L}\Gamma\Delta\cdot\nabla\cdot\Delta\sigma\sigma$ Γ $\rho q^{\alpha}(\mathcal{J}\cdot\dot{\mathcal{J}})^b$ $b\rho_{\alpha}$ $\nabla a\dot{b}\cdot\tau\Gamma\cdot\dot{\mathcal{J}}^b$
 $\Delta\sigma\sigma\cdot\dot{\Delta}^b_x$

$\dot{L}$ $\Delta\sigma\sigma\cdot\dot{\Delta}^b$ ρ b $\dot{L}\mathcal{J}\mathcal{L}\cdot\nabla\Gamma\dot{d}^b$, $\triangleright$ $\rho\mathcal{Z}L\sigma$): $q q^c$
 $\dot{L}$ $b\rho_{\alpha}$ $\Delta\sigma\sigma\cdot\dot{\Delta}^b$ ρ b $\dot{L}\mathcal{J}\mathcal{L}\cdot\nabla\Gamma\dot{d}^b_x$

$\dot{L}$ $\nabla\triangleleft\dot{\rho}\dot{a}\dot{b}\cdot\tau\Gamma\cdot\dot{\mathcal{J}}^b$ $\Delta\sigma\sigma\cdot\dot{\Delta}^b$ $(\mathcal{J}\Gamma\rho\Gamma\cdot\dot{\Delta}^b$ $b\mathcal{L}$ $($
 $\mathcal{J}\Gamma q^{\alpha}(\mathcal{J})^b$; $\dot{\mathcal{J}}>^b$ $\cdot\dot{b}\mathcal{L}^b$ ρ b $\mathcal{N}\dot{\zeta}\dot{d}\dot{a}^b$ $\Delta\sigma\sigma\cdot\dot{\Delta}^b$,
 $b\mathcal{L}$ ρ b $\mathcal{N}\nabla\sigma\dot{L}^b$ $\nabla\triangleleft\dot{\rho}\dot{a}\dot{b}\cdot\tau\Gamma\cdot\dot{\mathcal{J}}^b$ $\Delta\sigma\sigma\cdot\dot{\Delta}^b$ $\triangleright\triangleright L$
 $\triangleleft\rho^{\alpha b}_x$

$\dot{L}$ $\Delta\sigma\sigma\cdot\dot{\Delta}^b$ ρ b $\dot{L}\mathcal{J}\mathcal{L}\cdot\nabla\Gamma\dot{d}^b$, $\triangleright$ $\rho\mathcal{Z}L\sigma$): $q q^c$
 $\dot{L}$ $b\rho_{\alpha}$ $\Delta\sigma\sigma\cdot\dot{\Delta}^b$ ρ b $\dot{L}\mathcal{J}\mathcal{L}\cdot\nabla\Gamma\dot{d}^b$,

Γ $(^c$ $\triangleleft\rho$ q $\Gamma\sigma\cdot\nabla L^b$ $\sigma\wedge\cdot\triangleleft$ $\Delta\sigma\sigma$ b $\sigma\dot{\zeta}\cdot\Delta\rho$
 $\dot{L}b\rho_{\alpha}$: $\rho\mathcal{Z}L\sigma$) $(^c$, $\triangleleft>^b$ $\triangleleft\triangleleft^o$ $\rho_{\alpha}\cdot\Delta^{\alpha c}$ ρ $\rho\mathcal{Z}L\sigma$) $\Gamma\dot{a}^{\alpha}$
 ρ b $\zeta\cdot\nabla\sigma\Gamma\dot{d}\dot{a}^{\alpha}_x$

$\rho\mathcal{Z}L\sigma$) ρ b $\zeta\cdot\nabla\sigma\Gamma\dot{d}\dot{a}^{\alpha}$: $b\mathcal{L}$ $\Gamma\mathcal{J}U$ $\triangleleft\rho^{\alpha b}$ $\dot{b}$
 $(\alpha\rho\sigma\Gamma^{\alpha}$ $\triangleright$ b $\dot{a}\sigma\mathcal{L}\cdot\tau\sigma\Gamma\dot{d}\dot{a}^{\alpha}_x$

ζ $\rho\Gamma$ $\wedge\mathcal{F}q^{\alpha}\dot{\zeta}\dot{d}\Gamma$ $\cdot\nabla\triangleleft\Gamma\Gamma^{\alpha b}$, $b\mathcal{L}$ $\cdot\nabla\rho\Gamma\Gamma^{\alpha b}$, $b\mathcal{L}$
 $\dot{\zeta}\sigma\Gamma^b$ $\triangleleft\dot{L}^b$;

b $\Delta\mathcal{F}$ $\cdot\nabla\dot{\zeta}\dot{d}\dot{\zeta}\cdot\tau^{\alpha}$ $\triangleright^{\alpha}b)^b$, $\dot{d}\dot{a}\dot{d}L$ $\Delta\mathcal{F}\cdot\nabla\dot{\zeta}$, $b\mathcal{L}$
 $b\rho\sigma^b$ q $\triangleleft\sigma$ $\Delta\mathcal{F}\cdot\nabla\dot{\zeta}$ $b\rho q b\Gamma^b_x$ $\nabla\mathcal{J}^{\alpha}_x$

$\mathcal{J}$ $\dot{a}\cdot\nabla$ $(^c$ $\dot{b}\mathcal{L}$ $\Delta\cdot q$ ρ $\cdot\dot{\mathcal{J}}\dot{\mathcal{J}}\dot{\rho}^{\alpha}\cdot\dot{b}\dot{a}\wedge(\mathcal{J}\cdot\dot{\mathcal{J}})^b$ $UV^{\alpha}\rho q\sigma\Gamma^{\alpha}$ $\triangleright$ $\Delta\Gamma\sigma$
 $\cdot\dot{\mathcal{J}}b\sigma\sigma$, $\dot{\mathcal{J}}\mathcal{L}\Gamma\nabla\Delta\rho\dot{L}$ $(^c$ $\nabla^{\alpha b}$ $\Delta\dot{L}$ ρ $\sigma\dot{\zeta}\dot{\mathcal{J}}^b$, $\dot{b}\mathcal{L}$ ρ $\Delta a\mathcal{L}\Gamma\dot{b}\dot{\zeta}\cdot\Delta\mathcal{L}\cdot\dot{\mathcal{J}}^b$
 $(\Delta\rho)_x$

$UV^{\alpha}\rho q\mathcal{L}^{\alpha}$, $\zeta\cdot\nabla\sigma\Gamma\dot{J}\dot{a}^{\alpha}_x$

$a \cdot q \cdot \Delta \Gamma \Delta \cdot \nabla \cdot \Delta^a_x - X, \zeta \cdot \nabla \sigma \Gamma \Delta^a_x$

$\Delta \zeta \Gamma \nabla \cdot \Delta \rho \dot{L}_x - UV^a \rho q \zeta^a, \zeta \cdot \nabla \sigma \Gamma \Delta^a_x$

· $\nabla \zeta \Gamma \Gamma d \zeta^a$ $\rho \rho \rho \sigma d^a b \nabla a \dot{\zeta} \zeta^a$, ζ $\rho \rho \Delta \wedge U a \dot{\zeta} \cdot b^c \rho^c$
 $\Delta \sigma \dot{b}^c \cdot \Delta^a_x$ ρ^c $\Delta \rho \dot{L} \cdot \Delta \cdot \Delta^a$ ζ $(\cdot \rho \sigma \cdot m L b^c_x \nabla \sigma -$
 $a^a \cdot \nabla a \zeta L^a \zeta$ $\cap \rho \dot{b} U \Delta \Delta L \Delta \rho^a b \dot{L} \zeta d^b$ $\rho \rho \rho \sigma d^a b_x$
 $\Gamma \sigma \dot{\zeta}^a$ $m^a d^L \rho \sigma \dot{b}^b$ q $\Delta^a \rho \wedge \dot{L} \cap \rho \zeta^a b_x$ $\Delta \cdot V \zeta \sigma -$
 $\Gamma \sigma \dot{\zeta}^a$ ζ σ $L \rho \Delta \sigma \rho q \cdot \Delta \sigma \dot{\zeta}^a \sigma^a$, $\nabla \sigma \Delta \cdot V \zeta \sigma L^a \rho \cdot \dot{\zeta}$
 $\Delta \rho^o$ b $L \rho \zeta \cdot \Delta \zeta \Gamma^a \rho^c_x$ $q d$ $\Delta \sigma \cdot \Delta \sigma \dot{\zeta}^a b^a q^a$ $b \cdot q -$
 $\cap V \sigma^a \cap \cdot \Delta \sigma^a b$; $\Gamma \dot{\zeta} \cdot q a L \cdot \Delta \sigma \dot{\zeta}^a$ ζ b $\dot{L} \dot{\zeta} (a \rho^a_x$
 $\nabla \Gamma^a_x$

$\Delta \zeta \Gamma \nabla \cdot \Delta \rho \dot{L}_x - \triangleright UV^a \rho q \zeta^a$, $\wedge \dot{L} \rho \Delta d^b \rho < \Gamma -$
 $\dot{\zeta} b^a \dot{b}^c \rho < \Gamma \dot{\zeta} b \sigma \cdot q^L$;

$a \cdot q \cdot \Delta \Gamma \Delta \cdot \nabla \cdot \Delta^a_x - \nabla V \sigma \cdot \zeta \cdot \Delta \cdot \dot{b}_x$

$\Delta \zeta \Gamma \nabla \cdot \Delta \rho \dot{L}_x - \triangleright UV^a \rho q \zeta^a$, $\rho \wedge \sigma (\sigma q \cdot \Delta \sigma^a b$
 $\wedge \Delta^a \rho \dot{\zeta} \zeta \Delta \dot{L} \cdot \Delta d^b \cdot \Delta) \dot{b}^c q \cdot \Delta \sigma \sigma$;

$a \cdot q \cdot \Delta \Gamma \Delta \cdot \nabla \cdot \Delta^a_x - \dot{b}^c \zeta \cdot \zeta^b \cdot \Delta) \dot{b} \cdot \Delta d^b_x$

$\Delta \zeta \Gamma \nabla \cdot \Delta \rho \dot{L}_x - \rho L^a \dot{b} \cdot \Delta \rho \cdot \Delta \sigma^a b b a \cdot \nabla \sigma \Gamma d^b_x$,

$a \cdot q \cdot \Delta \Gamma \Delta \cdot \nabla \cdot \Delta^a_x - \Delta^a \rho \zeta^b o \Delta^a \rho \Delta \sigma^o \cdot \dot{\zeta} L \rho -$
 $\dot{\zeta} d \cdot \dot{\zeta}^b_x$

$\Delta \zeta \Gamma \nabla \cdot \Delta \rho \dot{L}_x - \triangleright UV^a \rho q \zeta^a$, $\wedge \rho^a \zeta^a \sigma^a \dot{\zeta} \zeta -$
 $\Gamma \dot{\zeta} \cdot \Delta \sigma \dot{\zeta}^a \sigma^a_x$

$a \cdot q \cdot \Delta \Gamma \Delta \cdot \nabla \cdot \Delta^a_x - \dot{L}^o \zeta \sigma \cdot \zeta^b \cdot \Delta \cdot \dot{\zeta}^c \cdot \Delta \sigma \dot{\zeta}^a \sigma^a \rho$
 $\dot{b} \triangleright \cap \rho d^a_x$

$\Delta\sigma^0$ σ^L $\rho\sigma\rho d\sigma^0$ $\triangleleft(L^a$ b_4 Δ^L^a , b_4 b ρ
 $\wedge\sigma\triangleleft^b$ b_4 $\cdot\Delta\cap q\triangleleft^b$ $\Delta\Delta\dot{L}$ $\cdot\Delta\cap q\cdot\Delta\sigma^{ab}$; ρ b $\cdot\Delta$
 h $\dot{\sigma}\sigma\sigma\triangleleft\dot{L}d\cdot\triangleleft$ $\Delta\sigma\cdot\triangleleft q\cap r\cdot\Delta^a$ $\cdot\nabla a\dot{r}\dot{L}b\rho^a$ ρ
 $\sigma\cdot\nabla a\dot{r}q\cdot\Delta\sigma^{ab}$, ρ b $\cdot\Delta$ $\wedge\sigma\Delta d\cdot\triangleleft$ h , b_4 $\Gamma d)\dot{c}d\cdot\triangleleft$,
 r $q\nabla a(\Gamma\nabla^b$ $\rho\dot{h}\cdot\Delta\cdot\triangleleft^ab$ b_4 ρ^c $\triangleleft\dot{L}d\cdot\triangleleft^ab$, b_4 r ρ
 $\cdot\Delta r\wedge\dot{L}\cap r\Gamma)4^b$ $\wedge\sigma$ $\dot{h}\rho\Delta\cdot\Delta\sigma^{ab}$ $\Gamma\sigma^b$ q $\wedge\dot{L}\cap r-$
 $\cdot\nabla\cdot q^ax$ $\nabla\dot{r}^ax$

¶ Γ C^s Δ² Γ ∇ Δ ρ L Δ Δ C Δ S b p . 9 x

$b p_a \quad p_a \cdot \triangle \quad \cdot \triangle \cap q_4^b \quad b_4 \quad p_a \cdot \triangle \quad \nabla \vartheta^a(\Gamma^b \quad \Gamma$
 $\triangleright (\wedge a \underline{L} \Gamma^4^b \quad \Delta \Delta^o \quad \wedge \sigma \quad \Delta \mathcal{F} \cdot \nabla \wedge \Gamma^o \cdot \Delta^a \quad p \cdot \Delta \cap q \dot{\Delta} \sigma -$
 $\cdot \Delta^a b, \quad \wedge \Gamma^a(\underline{J}^b \quad \nabla \rho) \underline{L} b^b \quad \Delta \Delta^o \quad \wedge \sigma \quad \triangleright \mathcal{F} \wedge \Delta q \cdot \Delta^a$
 $\dot{\Delta} v^b \quad q \quad \mathcal{N}(\cdot \triangle \cdot \triangle \dot{\Delta} \dot{\Delta}^a \quad \triangleright \cdot \Delta \cap q \underline{L} b \sigma \cdot \triangle \cdot \triangle^a \quad b_4 \quad \Delta \cdot q \cdot \triangle^b \quad \triangleright$
 $\dot{\Delta} v \Gamma \cdot \triangle \cdot \triangle^a_x$

$\angle \sigma^{\mu} \angle \epsilon$ D^{ϵ} $D^{\epsilon} \wedge \Delta q \cdot \Delta \sigma^{\epsilon b}$ P $D^{\epsilon} \wedge \Delta L \cdot \dot{\Delta}^{\epsilon}$
 $\Delta \sigma^{\circ}$ $\nabla \delta \zeta^{\epsilon}$ $\Delta \sigma^{\circ} \cdot \Delta \epsilon$, $\dot{\Delta} \epsilon \epsilon$ $\angle q \wedge \Delta b \sigma^{\epsilon b}$ $D D$ ζ
 $D \Pi \epsilon \zeta \dot{L} \epsilon$ $b P \epsilon$ $\dot{\Delta} V \cdot \Delta \epsilon$ $\cdot \dot{\Delta}^{\epsilon} \cdot \Delta \sigma^{\mu \epsilon}$; $\dot{\Delta} V^b$, $\dot{\zeta} P \Delta \delta b$
 P $\cdot \Delta \Pi q \dot{L} b \sigma^{\circ} \cdot \dot{\Delta}^{\epsilon}$ $\dot{L} \zeta$ $\times$ $\dot{b}$ $\Delta \wedge \Gamma$ $\dot{\zeta} P \dot{\Delta}^{\epsilon}$ $\dot{D}^{\epsilon}$ $\dot{\Delta}^{\epsilon} \zeta \Gamma \dot{\Delta}^{\epsilon}$
 $\cdot \Delta \sigma^{\circ} L \epsilon$, $\dot{b} \zeta$ $\dot{b}$ P $\angle P \Pi \sigma \Pi^{\mu}$ $\Delta \sigma^{\circ}$ $D \epsilon \Gamma$, Γ P
 $\wedge \sigma^{\circ} \dot{\Delta}^{\epsilon}$ P $P \zeta \wedge P \dot{\Delta}^{\epsilon}$ $\sigma \wedge \sigma$ $\Delta P^{\circ} \cdot \Delta \sigma^{\circ}$ $D \epsilon \Gamma$; Γ $\Delta \zeta$
 $\zeta \dot{L}^{\mu}$ $P U \epsilon \zeta \dot{\Delta} \zeta \cdot \Delta$ $\dot{\Delta}^{\epsilon} \zeta \Gamma \dot{\Delta}^{\epsilon} \cdot \Delta \sigma^{\circ} \cdot \Delta \epsilon$ $b \epsilon q$ P $\angle \angle U \cdot \Delta$
 $\zeta \zeta \sigma^{\mu \epsilon}$ $\dot{b} \zeta$ $D \zeta P \zeta \zeta \sigma^{\mu \epsilon}$ $\dot{b} \zeta$ ζ $b \epsilon q$ P $\dot{\Delta}^{\epsilon} \zeta \sigma^{\mu \epsilon}$
 $D D$ $\dot{\Delta}^{\epsilon} \Delta \epsilon$; Γ $\wedge \sigma^{\circ} \sigma^{\mu \epsilon}$ ζ , $\dot{b} \zeta$ Γ $\dot{L} P \zeta \zeta \sigma^{\mu \epsilon} \times$ Γ
 ζ q $\Delta \wedge \Gamma$ $\dot{\zeta} P \dot{\Delta}^{\epsilon} \cdot \dot{\Delta}^{\epsilon} \zeta \epsilon$ $\dot{\Delta} V^b$ D $\cdot \Delta \Pi q \dot{L} b \sigma^{\circ} \cdot \dot{\Delta}^{\epsilon} \cdot \dot{\Delta}^{\epsilon}$ $\dot{L} \zeta$
 $\Pi \wedge \epsilon \cdot \nabla$ $\cdot \Delta \zeta \cdot \Delta \cdot \dot{\Delta}^{\epsilon} \cdot \dot{\Delta}^{\epsilon} \times$ $\dot{\Delta}^{\epsilon} \Delta^{\circ}$ $\dot{\zeta} \zeta P \dot{\Delta}^{\epsilon}$ $\cdot \Delta \cdot \Delta \epsilon$ $\dot{\zeta} P \Delta$
 $\Pi \zeta$ ζ : $\dot{\Delta}^{\epsilon} \zeta$ $\dot{b} \cdot \Delta \epsilon$ $\cdot \Delta \dot{b}$ $L \zeta$ $\dot{\Delta} V$ D $\cdot \Delta \zeta P^{\epsilon} q \epsilon$

(ῥ^α ΠΛ_α•∇ Δ•Δ^ι_γ, Δ βα_α(•∇^αζ^α (ς Δ
 ρ_γ•Δ^ι)ζ^α ἰ^ι UV_αρ_γ ρ βα•∇σ^ι_γ Δ^ς Δ^ι_γ-
 ΓΔ^ι•Δσσ_Δ : Δ^ι_γ ρ (•q^αζ^αδ^ιΓ_α •Δ^ι_γ•Δ^α_β,
 •Δ^ι_γρ^α β_γ Δβσ^α_β_x Γ γ ΔΔ Δ^αρ Δσσ ρ
 αβ^α Δ^α β_γ Δ^ρ_α, ρ •Δ^ρ•Δ^ι (ς Δ •ΔΠΘ^ιβα_α ;
 Δδ ^αΔ^ι•Δ^ι (ς ρ V_ΔΔ^ι•Δ^ι_γ•Δ^ι_γ_x Δ^ιΛ^ρ γ ΔΔ ἰ_Δ-
 (•∇^αζ^α•β^ς ; σ^αζ^α Δ^ισ^ι_Δ ἰ_Δ (ς X β_γ Δ^ς Δ^ι_γΓΔ^ι•Δσ-
 σ_Δ_x Γ (ς ΔΔ^ο Δ^αρ β_ρ ∇^α(Δ^ςγ^αβ Δ β ἰ_ρΔ^α
 •Δ^αΔ^α ἰ^ι ∇Λ^ρ ἰ_ρΔΠ^ι_γ_x

β_γ (ς Γ Δ^ιΔ^ο q^ι_γζ^α ζ^ασ^ρ_γ <^α ρ Δ_ΔΛΔ^ι•Δ^ι
 δ_Δρ Δσσ•Δ^α, ΔΔ γ Δ^ς Δ_Δ ββ^αζ^α β_ρα^α•V_α
 •Δ^ι•Δσ^ρ_α ; ^αV^αβ, ἰ_ρΔδ^β ρ •ΔΠΘ^ιβσ•Δ^ι•Δ^ι, q_δ •Δ^α
 (ς Λ^ρ)(•Δ^ιq_δ_x

α^α)(Δ^β γ β_γ ∇_ρβ ζ^ασ^ρ_γ Λ^ς, X Δ^ς Δ^αζ^α(-
 α_Δ, Δ^ιΔ^ο ΠΛ_α•∇ •Δ^ι•Δ^α, ρ ββ^αζ^α β_ρα^α
 •Δ^ιΠΘσ^ρ_α ; ρ_α•Δ ^αζ^αV•Δ^αβ, •Δ^ρ(Δ^ςq^αΓ^αδ^β ρ •ΔΠ-
 Θ^ιβσ•Δ^ι•Δ ἰ^ι ∇_Δ ρq^αρ^βU^β ; ρ ρUσ^ι_Δγ^β ρ •ΔΠ-
 Θ^ιβσ•Δ^ι•Δ ἰ^ι ^αα_Γρ^γ Δ•∇^α_α, β_γ ρ ΔVσ^ι_Δγ^β
 ζ^αΛ^ςδ ρ Δ^ιζ^αΓ^β ΔΔ^ο Γσ•∇•Δ^α Δ^ι_γβ Λ^ιΠ^ρ•Δ^α, ρ^ς
 Δ^ι_γΓΔ^ι•Δσ•Δ ρ ρΛ^ρρ^βU_ρ_α_x

Δ^ι_ζ ρ ρ ^αα_Δ•Δ ΔΔ^ο ^αV q γ (•Δ^ι_γ)^α •Δ^αΔ_x
 Γ γ δ β_γ ρ_α•Δ Δ^αq^β, Λ^ρα(Δ^β γ β_γ β^ασ^ρ)(Δ^β
 ΔΔ^ο q γ (•∇^α•β^ς ρ ^αVΓ•Δ^ι•Δ, ∇_Δ ζ^αβ_Δρ^βU^β
 ρ_ρ Δ_ΔΔΘ^α•Δσ^α_β_x

[illegible]

Δ₁ΓΔ₁.Δ_x

▷ ႁ.ႁႁႁႁႁႁ ႁႁႁႁ), ႁႁႁႁႁႁႁ ႁႁႁ ႁ ႁႁႁ,
 .Δႁ ႁ ႁႁႁႁႁႁႁ ႁႁ ႁႁႁႁ ႁႁႁႁ.Δႁႁႁ; Δႁႁ
 ႁ ႁ.ႁႁႁႁႁႁႁ (ႁႁႁႁ.Δႁ ႁႁ.Δႁ ႁ ႁႁႁႁ, ႁႁ
 Δႁႁ ႁႁႁႁႁႁ ႁႁ ႁႁ.ႁႁႁႁႁႁ ႁႁႁ ႁ ႁႁႁႁႁႁ;
 .Δႁ ႁႁ ႁ ႁ ႁႁႁႁႁ.Δႁႁႁ ႁ ႁႁ ႁႁႁႁႁႁ
 ႁႁႁႁႁႁ ႁႁႁ ႁႁႁ, ႁ ႁႁႁ.ႁႁႁ.Δႁႁ ႁႁ ႁႁႁႁႁ
 .ႁႁႁႁ.Δႁႁႁႁ ႁႁႁ ႁႁႁ ႁႁႁ ႁႁႁႁ ႁႁႁႁႁ;
 ႁႁ ႁႁႁႁ.Δ ႁႁ)(ႁႁ.Δႁႁႁ, ▷ .ႁႁႁႁႁႁ, ႁ
 ႁႁႁႁႁႁႁ ႁႁႁႁ.ႁႁႁ.Δႁ ႁႁ.Δႁႁႁ ႁႁ ႁ
 ႁႁႁႁႁႁ .ႁႁ.ႁႁႁ.Δႁႁႁ; ႁႁ ႁ ႁႁႁႁႁ ႁႁ
 ႁႁႁႁ.Δႁ ႁ .Δႁႁႁႁႁႁႁ ႁႁ ႁႁႁႁႁႁ .Δႁႁ
 ႁႁႁ.ႁႁႁႁ [ႁႁႁ ႁႁႁ.ႁႁႁႁႁ:] ႁႁ ႁႁ ႁႁ
 ႁႁ.Δ ႁႁႁႁႁႁႁႁ ႁႁႁႁႁႁ ႁႁႁ ႁ ႁႁ.Δႁႁႁႁႁ
 ႁ ႁႁႁႁႁႁႁ; ႁ ႁႁႁႁႁႁ (ႁ ႁႁႁ ႁႁ)(ႁႁ.Δႁ,
 ႁႁႁ ႁႁႁႁ ႁႁႁ ႁ ႁႁ ႁႁႁ ႁႁႁ ႁႁႁ ႁႁႁ ႁႁ
 ႁႁႁႁႁ.Δႁႁ, ႁ ႁႁ), ႁႁႁ, ႁႁ.Δ ႁ.ႁႁႁႁႁႁ ႁ,
 ႁ ႁႁႁႁ ႁႁႁ ႁႁႁ.Δႁ.Δႁ ႁ ႁ .Δႁႁႁႁႁႁ
 ႁႁႁႁ ႁႁႁ)ႁ ႁႁ ႁႁ.Δႁႁ_x ႁႁႁႁႁ ႁႁ, ႁ
 ႁႁ)(ႁႁ.Δႁႁႁ, ▷ ႁ.ႁႁႁႁႁႁ .ႁႁႁႁႁႁ, .Δႁ
 ႁႁႁ ႁႁႁ ႁ ႁႁႁႁႁႁႁ ႁႁ ႁႁႁႁႁႁ_x
 ႁႁႁ_x

▷ ႁ.ႁႁႁႁ.Δႁ ႁ ႁႁႁ ႁႁႁႁႁႁ ႁႁႁ ႁ, ႁႁ
 ▷ ႁႁႁ.ႁ.Δႁ ႁႁႁႁ), ႁႁ ႁ .Δႁႁ.ႁႁႁ.Δႁ
 ႁႁႁႁ ႁႁႁ, ႁႁႁႁ ႁႁႁ ႁ ႁ.Δ.Δႁႁႁႁ_x ႁႁႁ_x

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